

EbE Vertexing for Mixing

Alex

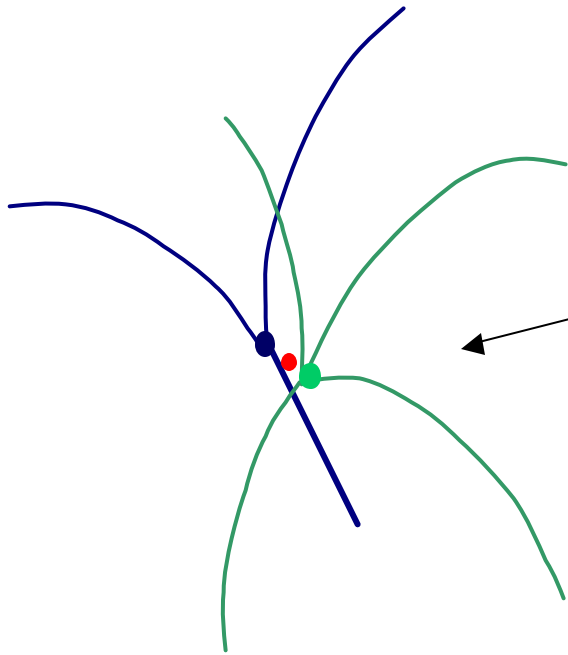


Status

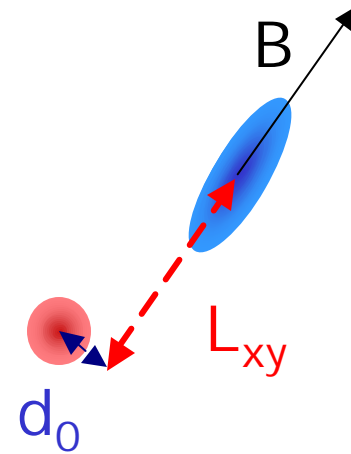
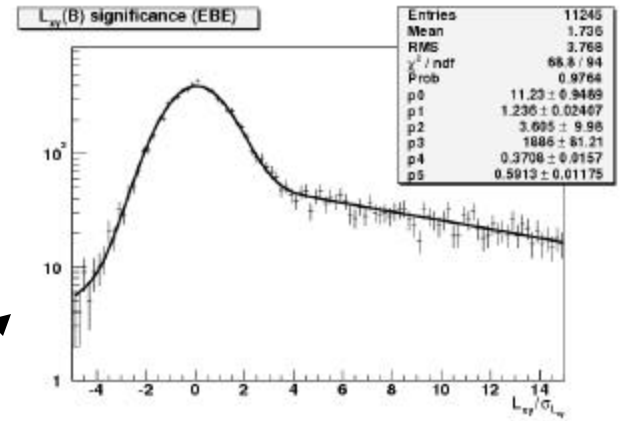
- Increased sample's statistics
 - ✓ Full $\sim 350 \text{ pb}^{-1}$
 - ✓ $D^0\pi$, $D^+\pi$, ψK^+ , ψK^* , $\psi' \rightarrow \mu\mu\pi\pi$
- **Primary Vertex:**
 - ✓ SF robustly sitting around 1.38
 - ✓ Dependencies (Z, Pt, Si hits, Ntracks)
 - ✓ Effect of hourglass
 - ✓ G3X (no time to show today, but does not seem relevant with current statistics)
 - ✓ Systematics
 - ✓ Comparison of pulls and extraction of a common value:
 - D_0 vs L_{xy}
- **Secondary Vertex:**
 - ✓ Dependencies (Z, ϕ , η , Pt, L_{xy} , ct, $\Delta\phi$, ΔR , Isolation, Si hits)
 - Extraction of a common scale factor with systematics?

Primary Vertex

The tools



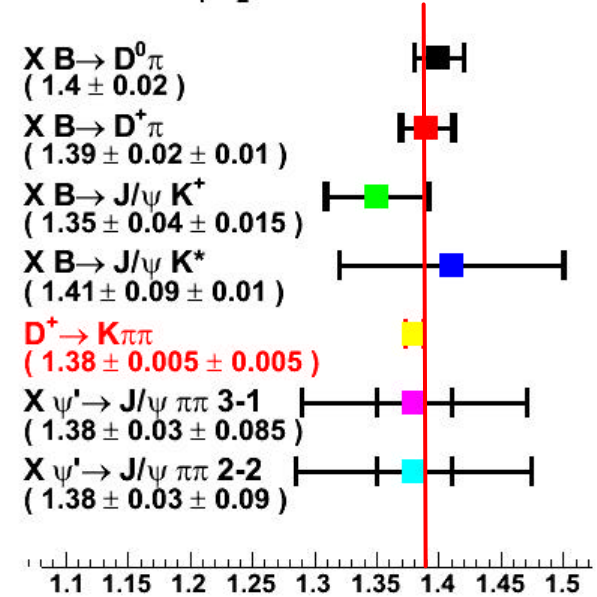
- Prompt peak
- V -truth
- $V1-V2$
- d_0/σ



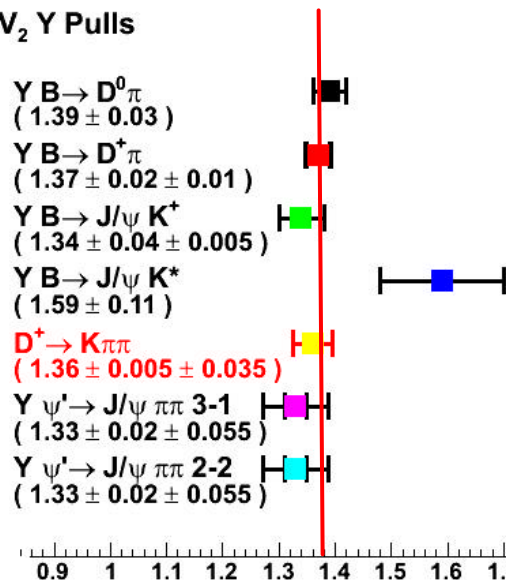
Scale Factor from V1-V2

- Fit two independent subsets of 'primary' [I.e. non-B] tracks
- Measure (x_1, y_1, z_1) and (x_2, y_2, z_2)
- Obtain Δ/σ for x , y and z
- Fit core with single gaussian (central value)
- Repeat fit with two gaussians ('syst.')
- Still using **1.38**
- For what follows

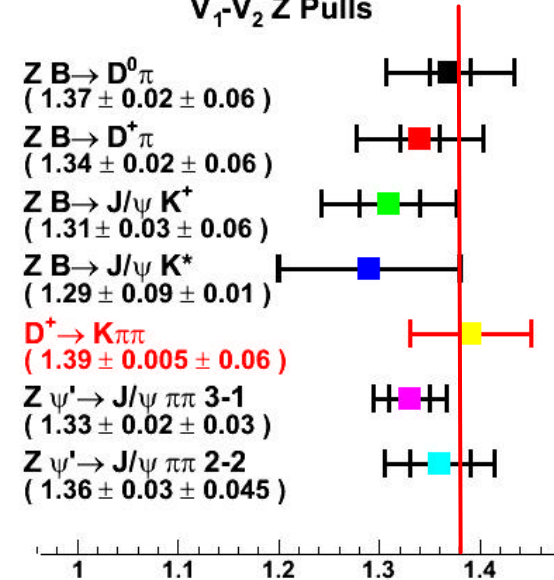
V₁-V₂ X Pulls



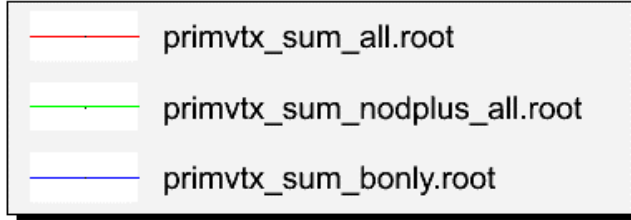
V₁-V₂ Y Pulls



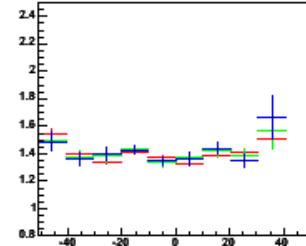
V₁-V₂ Z Pulls



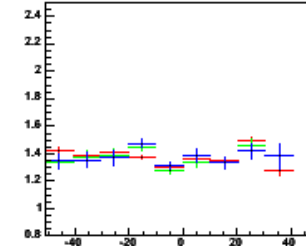
Is the PVSF 'universal'?



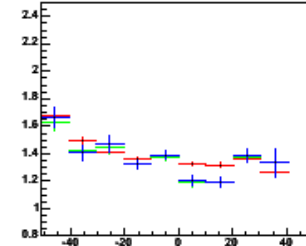
xslice_histogram_ZslicesX1X2_stack



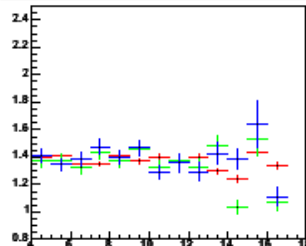
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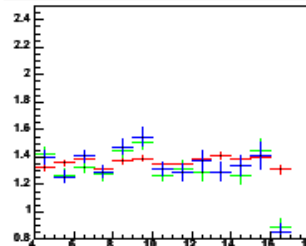
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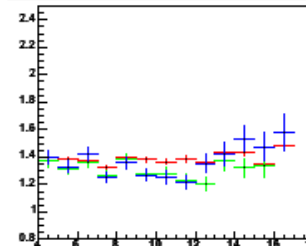
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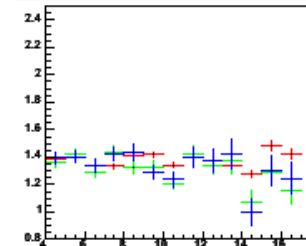
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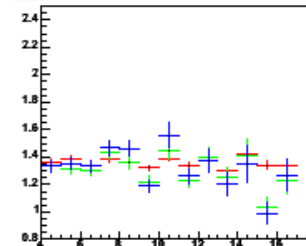
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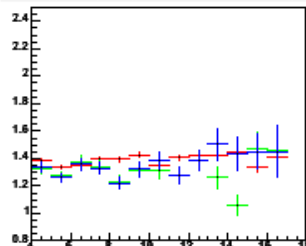
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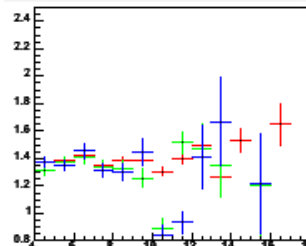
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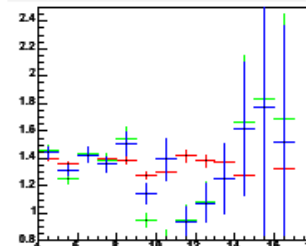
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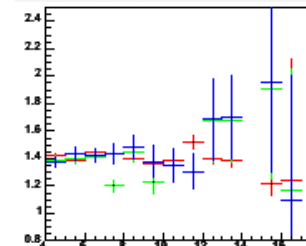
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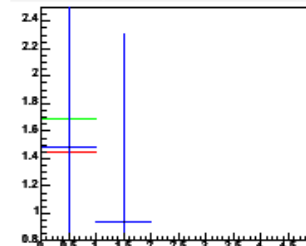
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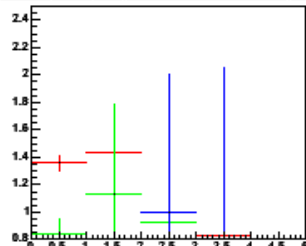
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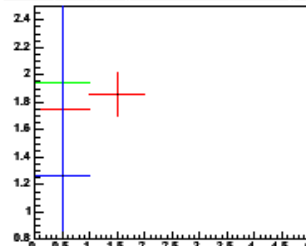
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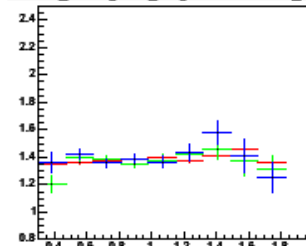
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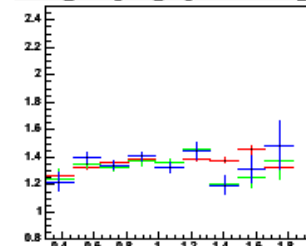
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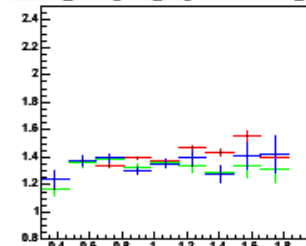
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xslice_histogram_AvgPtslicesY1Y2_stack



xslice_histogram_AvgPtslicesZ1Z2_stack

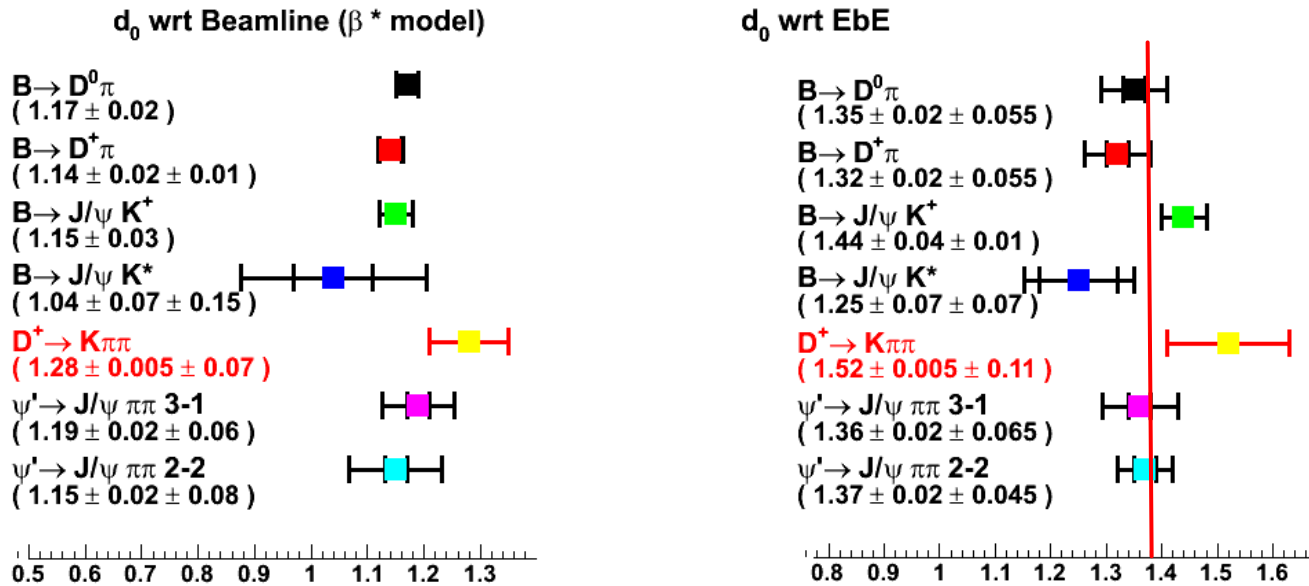


Bottomline...

- Scale factor shows no strong dependence on variables probed
- Any other variable you want to see?
- We could be more accurate but remember that the statistics is limited!
- Focus on **assessing systematics**
 - Inter-sample
 - Vary fit model (just like the overall fit)
- Will try to improve a little more on statistics ($K\pi\pi\pi$, $D\pi\pi\pi$), but mostly aiming at improving systematics

Impact Parameters

- We can use the B I.P. pulls as cross check of the L_{xy} resolution...



- Apply 1.38x **and beamline constraint**, check what happens:

For instance with $D^0 \pi$: EbE: $1.35 \rightarrow 1.15$ EbE+SSvtx: $1.26 \rightarrow 1.09$

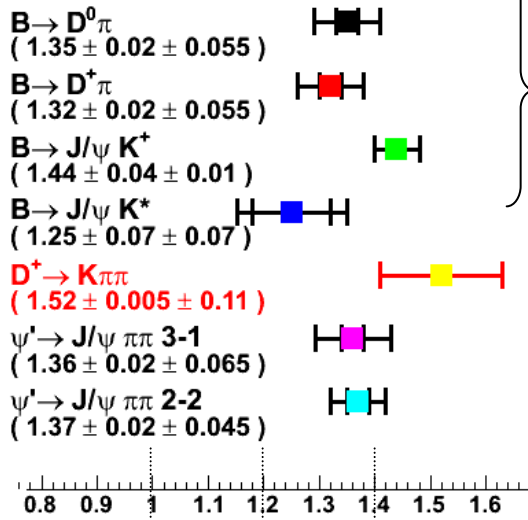
• PV scale factor is not the full story: **when you bring down σ_{PV} , the importance of σ_{SV} increases**

• Need to get the SV scale factor right!

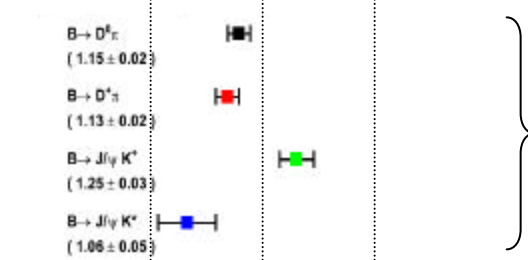
• REM: **even if $PVSF=SVSF$, we cannot use one common $L_{xy}SF$**

Impact Parameters & scale factors

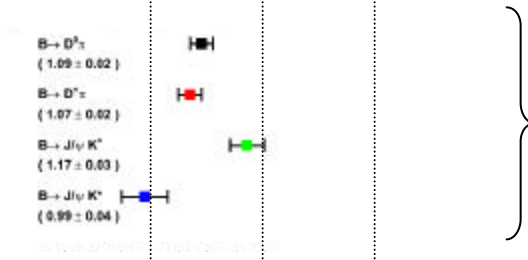
d_0 wrt EbE



1.38x on PV



1.38x on SV

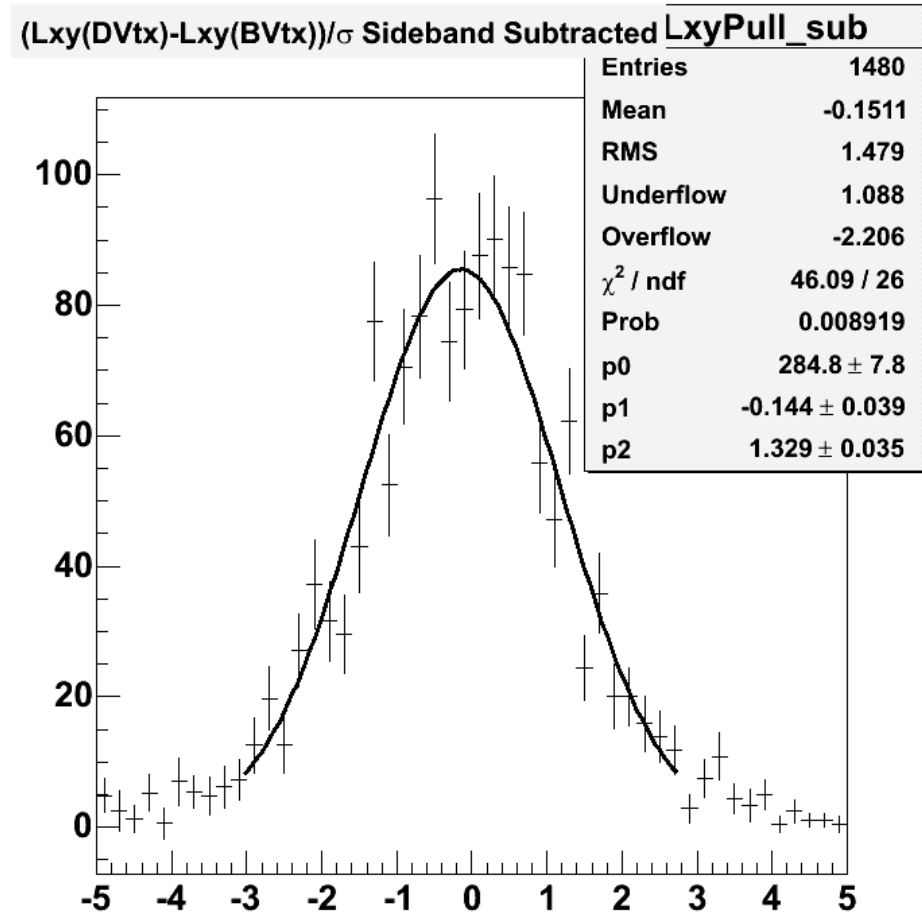
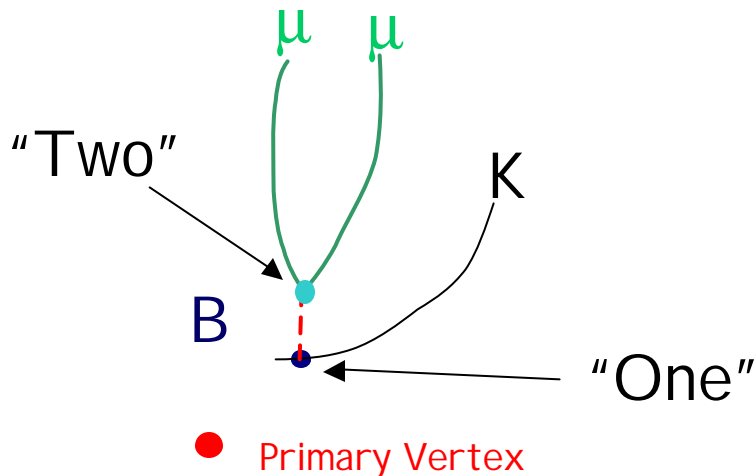


Secondary Vertex

Scale factor from B decays

Example: $B \rightarrow \psi K^+$

- Fit ψ to a single vertex
- "point" ψ back to K
- Measure L_{xy} wrt B vertex
- Pull is a proxy for a "secondary vertex" pull!



ψK

ψK^+

ψK^*

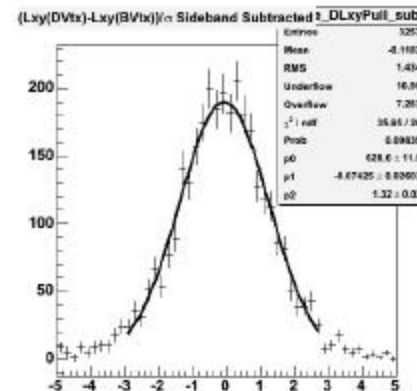
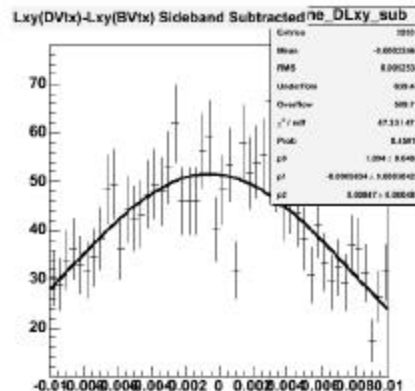
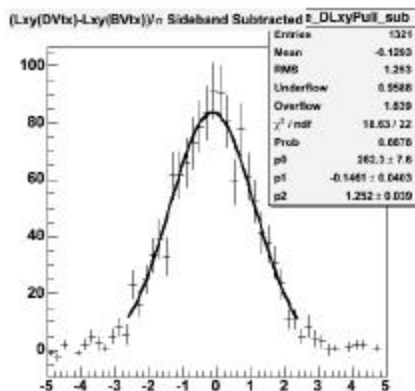
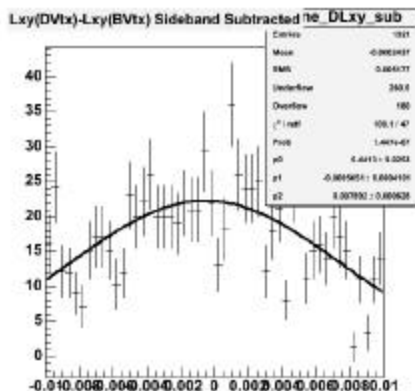
Lxy(2)

Pull

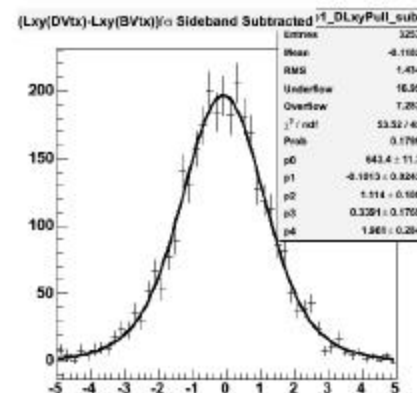
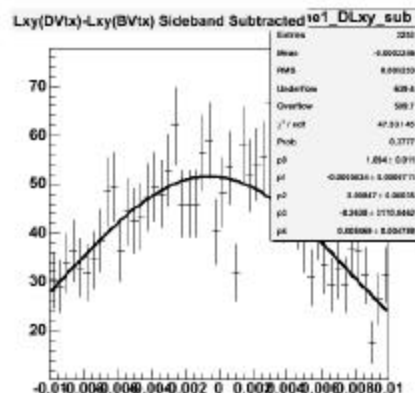
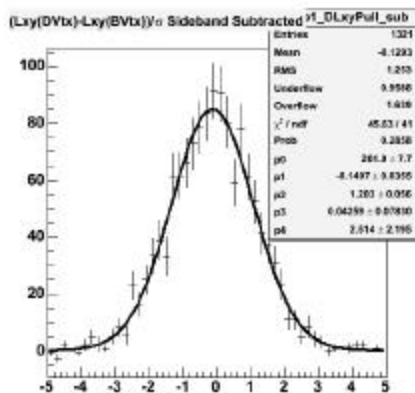
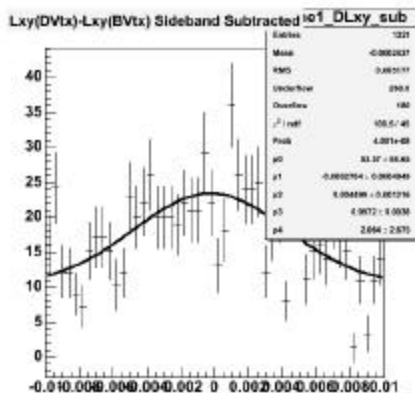
Lxy(2)

Pull

One Gaussian



Two gauss.



Charm...

D⁺

$\psi' \rightarrow \psi \pi \pi$ "3-1"

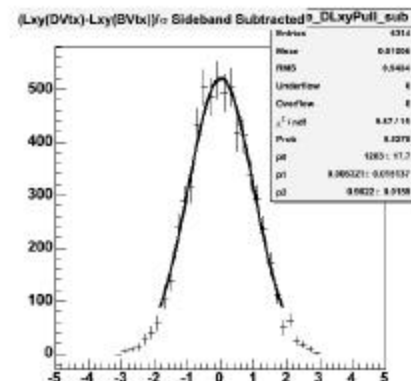
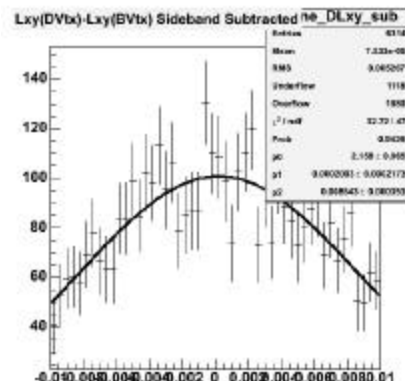
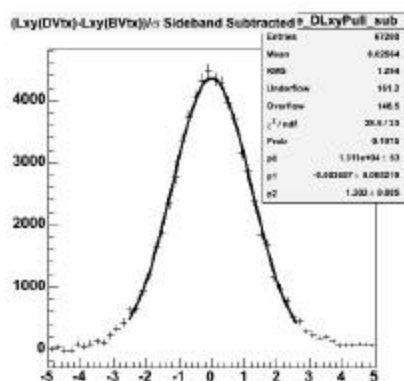
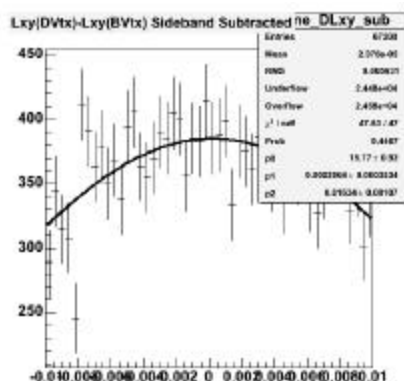
Lxy(2)

Pull

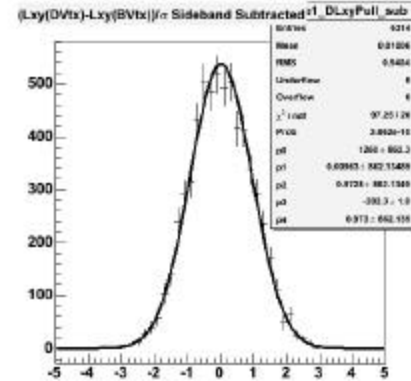
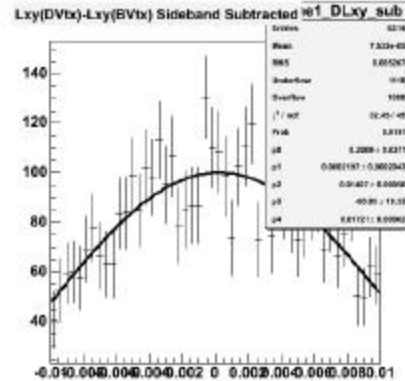
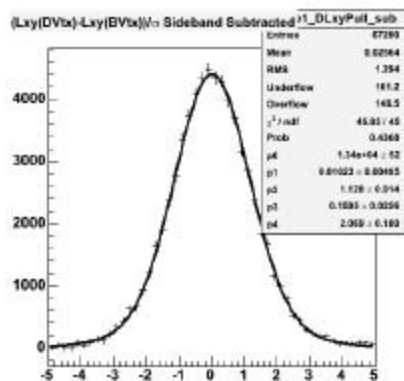
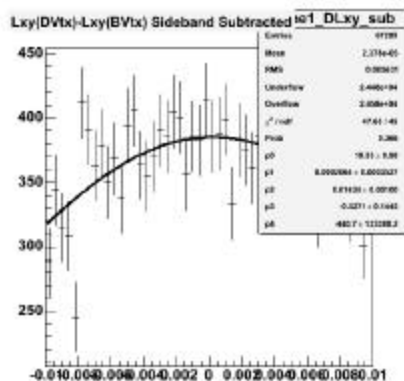
Lxy(2)

Pull

One Gaussian



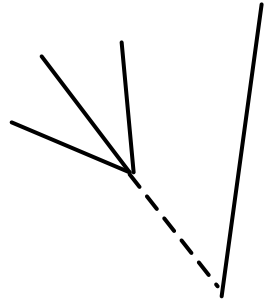
Two gauss.



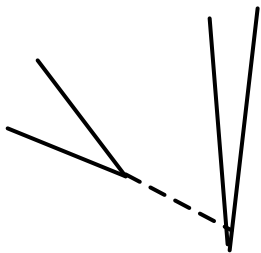
ψ' can be used in two different ways to probe SV

$\psi' \rightarrow \psi \pi \pi$ "2-2"

"3-1"



"2-2"

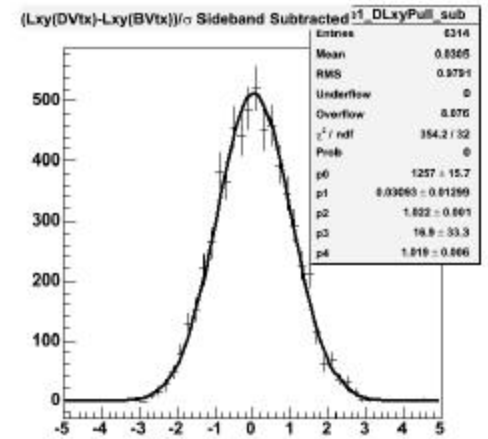
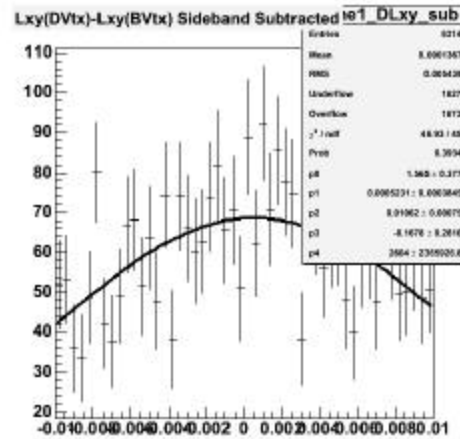
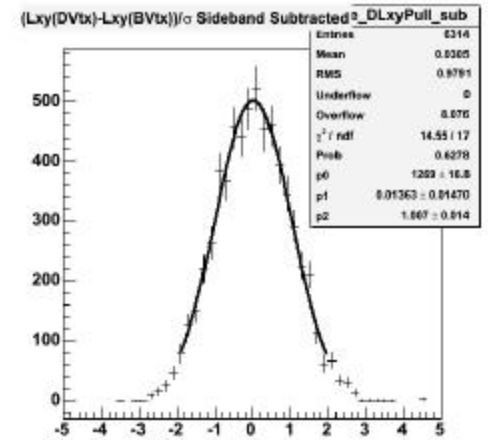
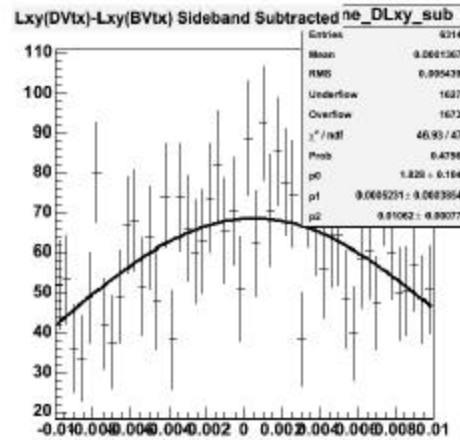


Lxy(2)

Pull

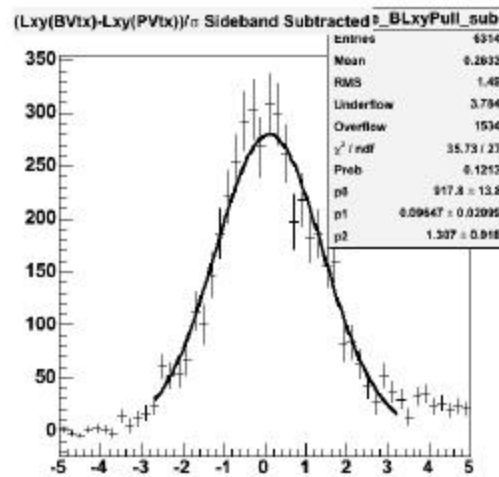
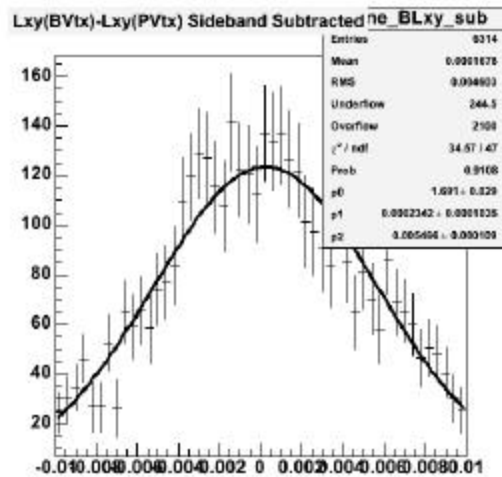
One Gaussian

Two gauss.



..and can be used also to probe the PV scale factor

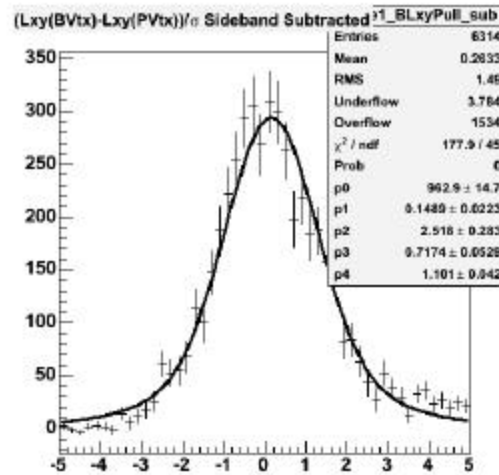
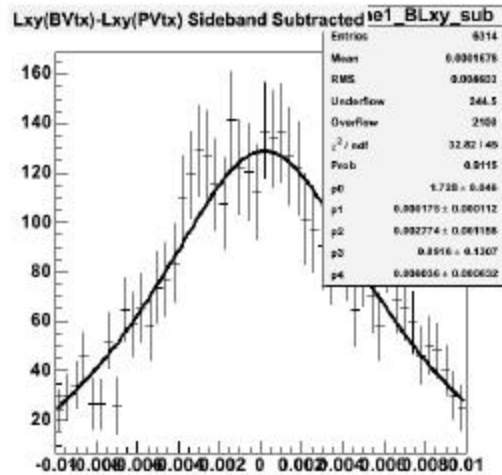
- Prompt production
- L_{xy} wrt $E_b E$ is 0!



← 1.31 ± 0.02



"1.38"



← 1.01 ± 0.04

Bottomline for SV

B → D L_{xy} Pull

B → J/ψ K⁺
(1.32 ± 0.02)



B → J/ψ K^{*}
(1.25 ± 0.05 ± 0.03)



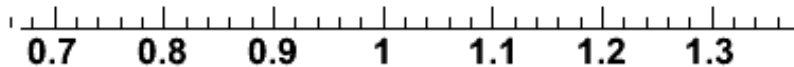
D⁺ → Kππ
(1.197 ± 0.004 ± 0.02)



ψ' → J/ψ ππ 3-1 ■
(0.98 ± 0.015)



ψ' → J/ψ ππ 2-2 ■
(1.01 ± 0.014)

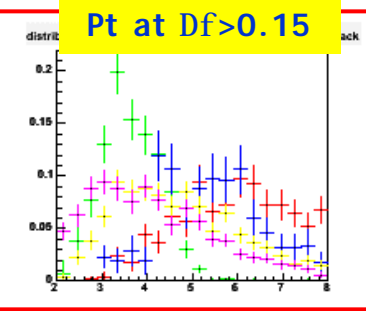
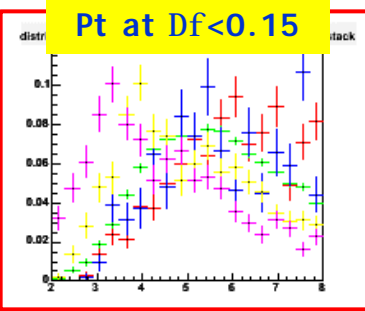
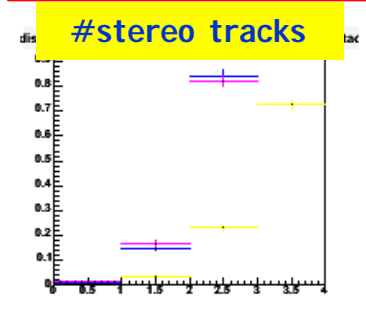
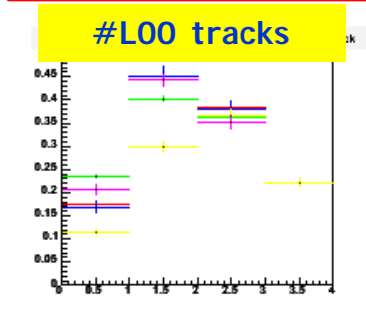
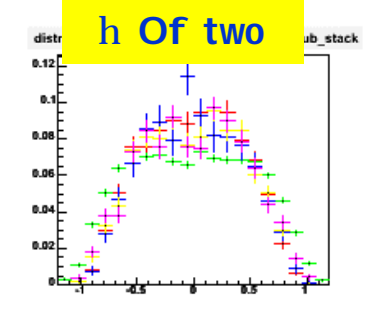
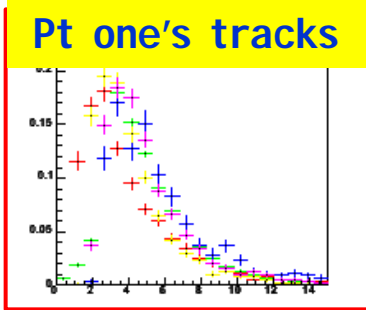
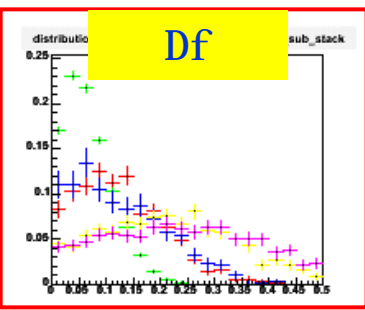
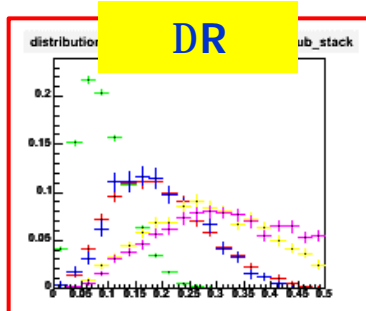
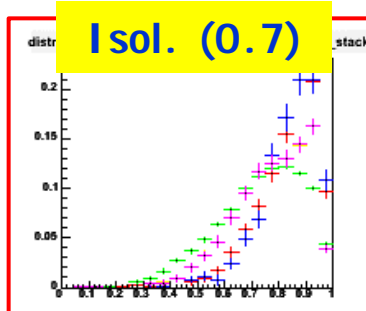
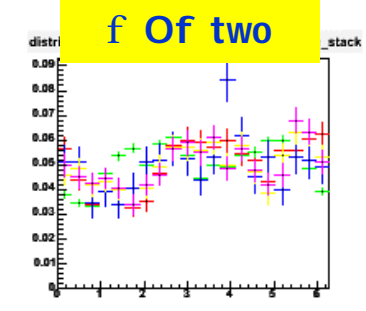
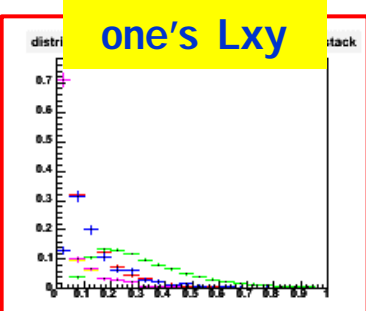
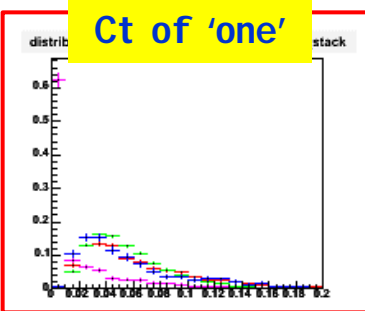
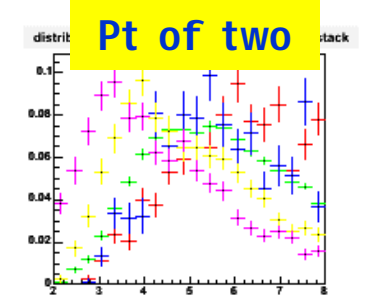
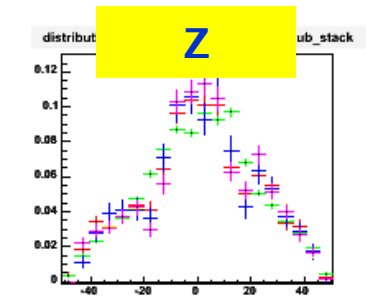
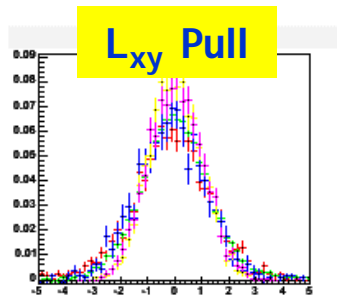


- Hidden dependencies!
 - Detector acceptance?
 - Kinematics?
 - Multiplicity? (no: ψK^{*})
1. Figure out which distributions are different
 2. Check dependency!

...results in the next pages

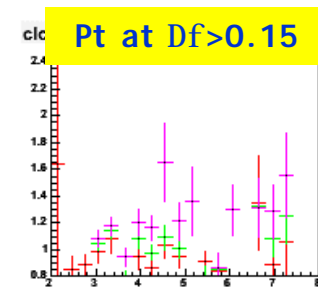
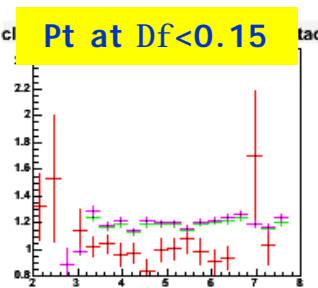
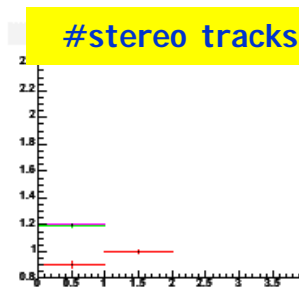
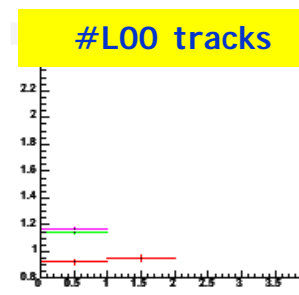
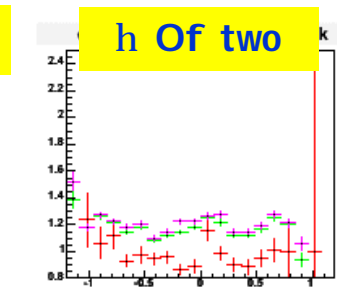
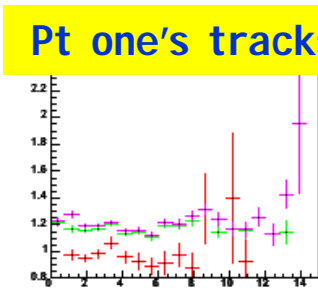
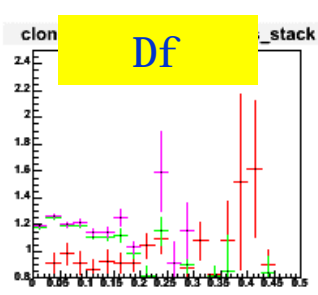
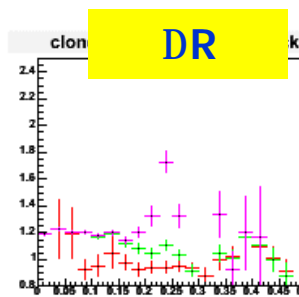
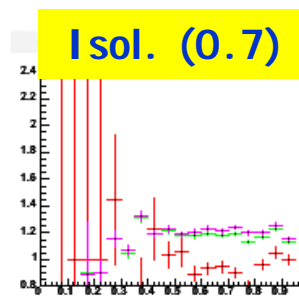
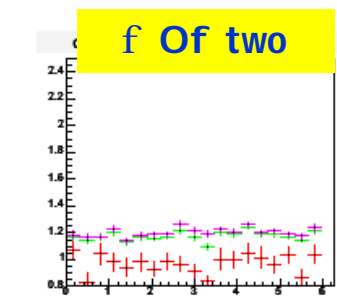
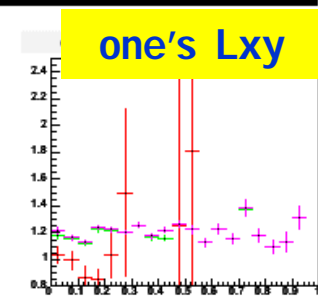
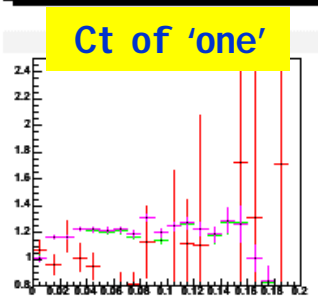
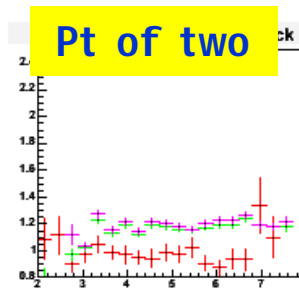
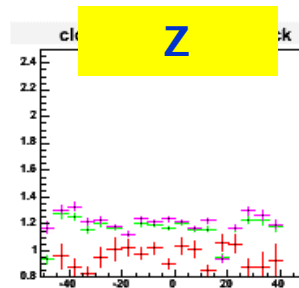
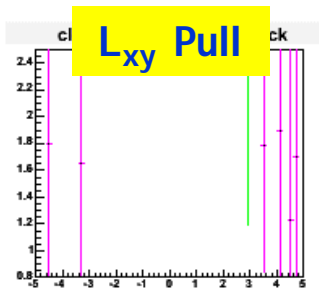
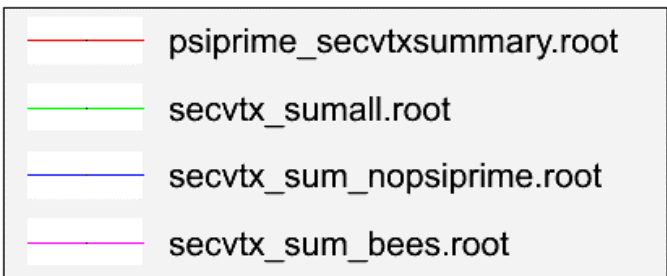
Distributions

	PsiK_d2v_1.38_false_false.txt_secvtxstudies.root
	DPlusK2pi_d2v_1.0_false_false.txt_secvtxstudies.root
	PsiKstar_d2v_1.38_false_false.txt_secvtxstudies.root
	PsiPrime_1.0_false_false.txt_secvtxstudies.root
	PsiPrime_twotr_1.0_false_false.txt_secvtxstudies.root



- Detector acceptance ($\phi\eta z$) pretty similar
- No clear difference in Si properties
- Kinematics differs ($\Delta\phi$ ΔR P_t)
- However...

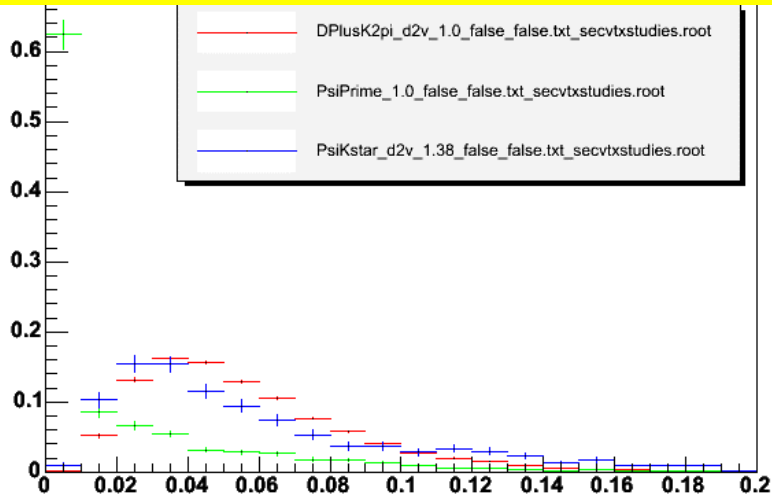
Pulls vs variables in prev. page



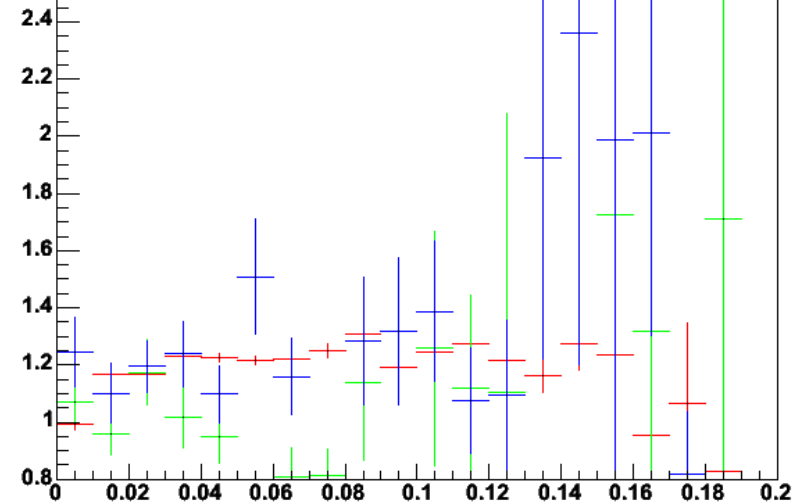
- Comparing ψ' to average of other samples in each bin
- Everything excluded except **ct**
- Why? I can think of possible reasons, but in terms of bugs mostly! **WORK IN PROGRESS**

Ct and L_{xy}

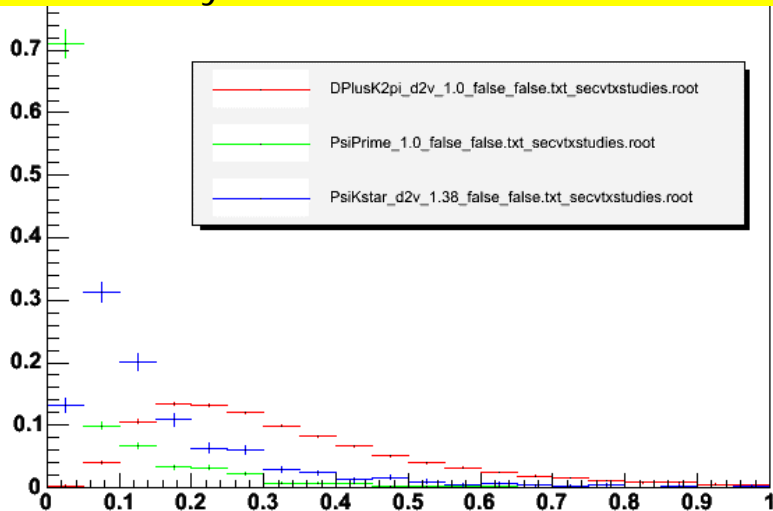
Ct(one) distribution



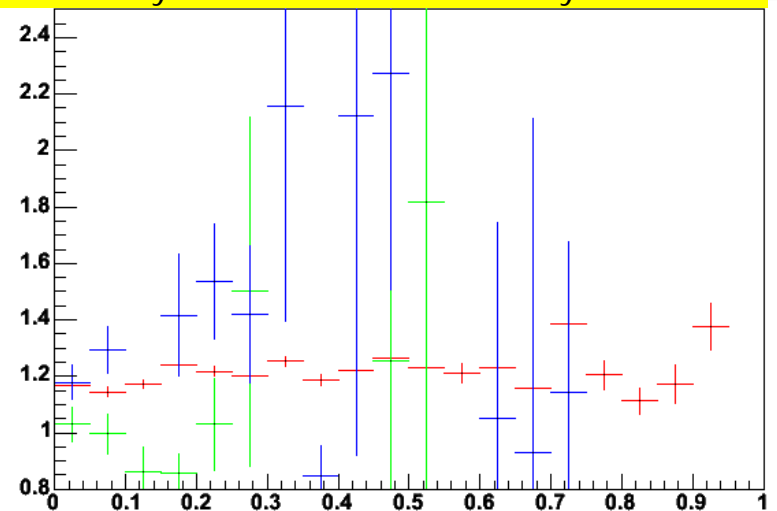
L_{xy} (two) pulls vs ct(B)



L_{xy} distribution



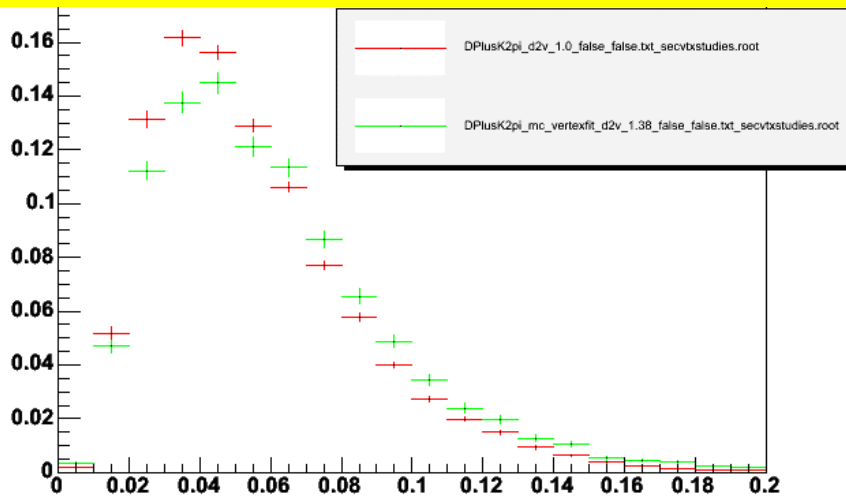
L_{xy} (two) pulls vs L_{xy} (B)



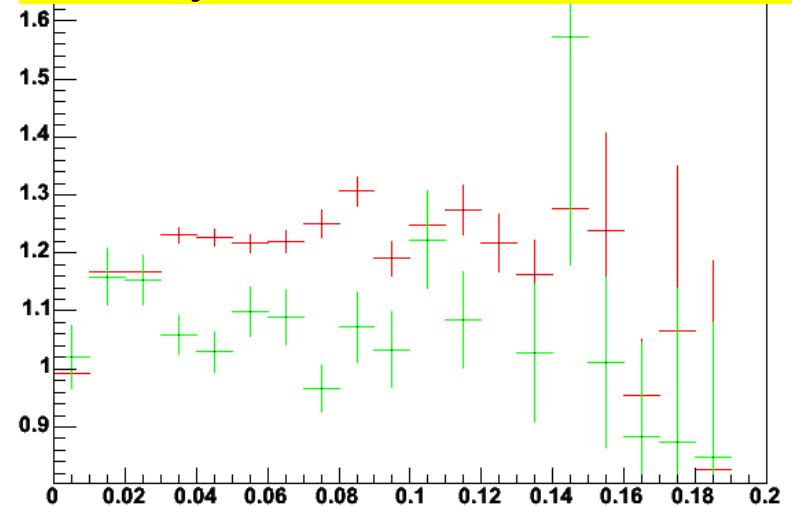
The problem does not show up with prompt objects!

D⁺ Montecarlo vs data

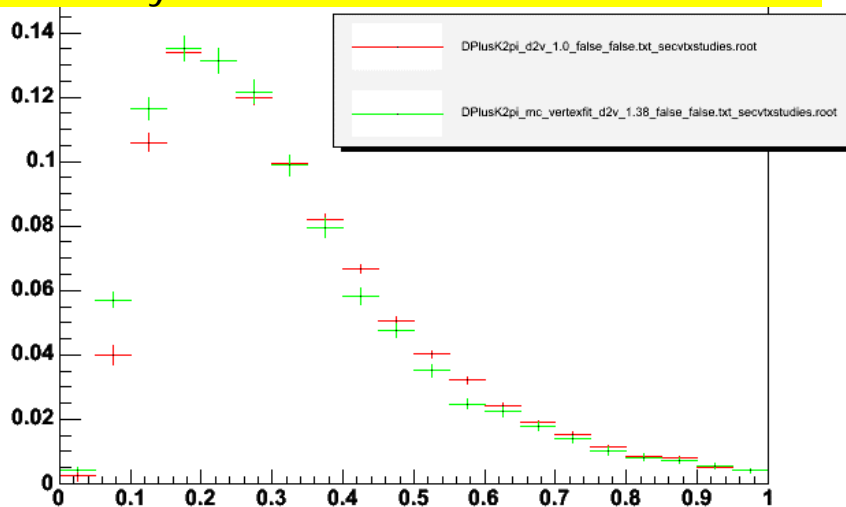
Ct(one) distribution



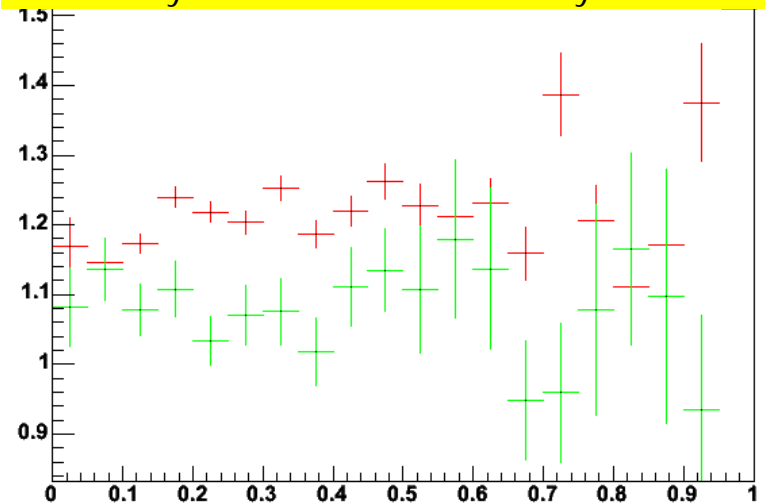
L_{xy}(two) pulls vs ct(B)



L_{xy}(one) distribution



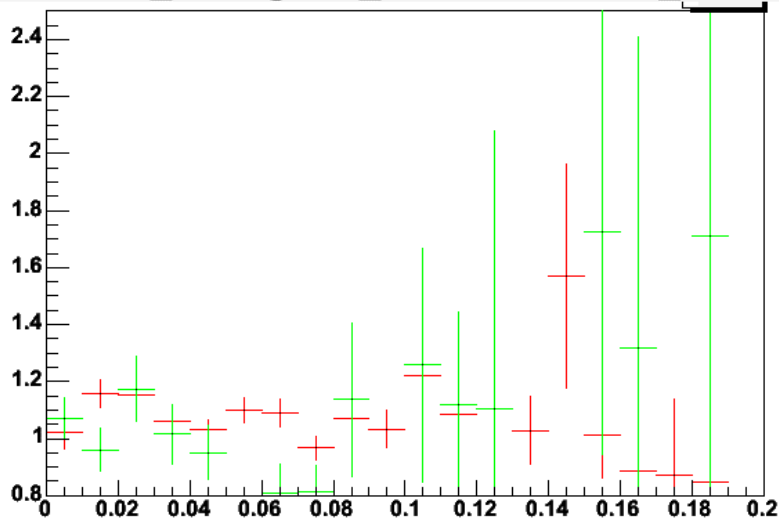
L_{xy}(two) pulls vs L_{xy}(B)



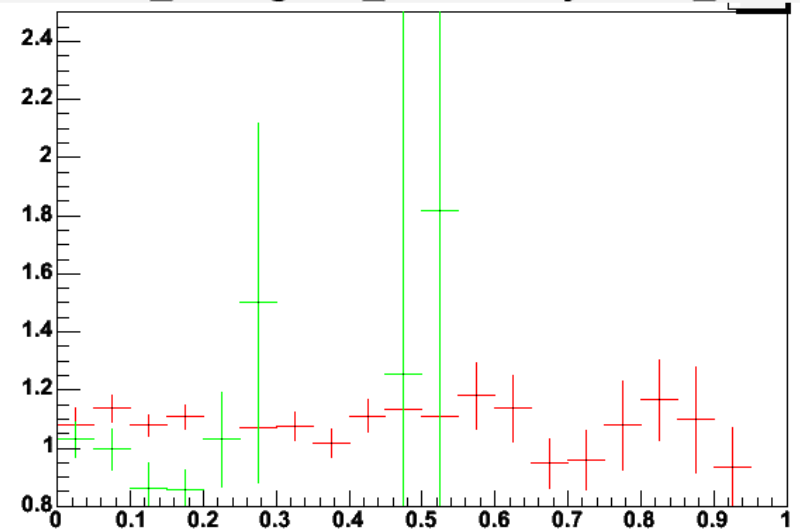
The problem does not show up in montecarlo!

ψ' data vs D^+ MC

xslice_histogram_SecVtxCtslices_stack

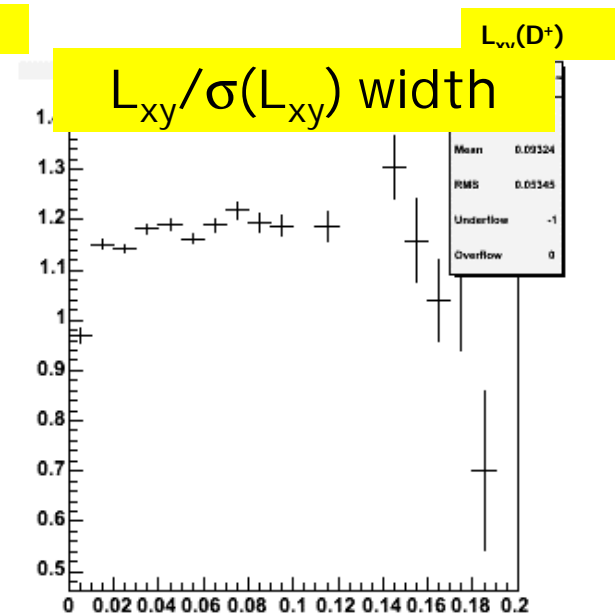
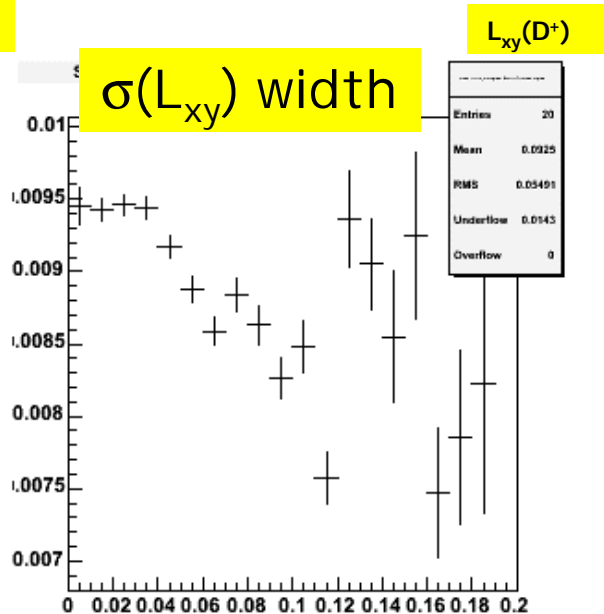
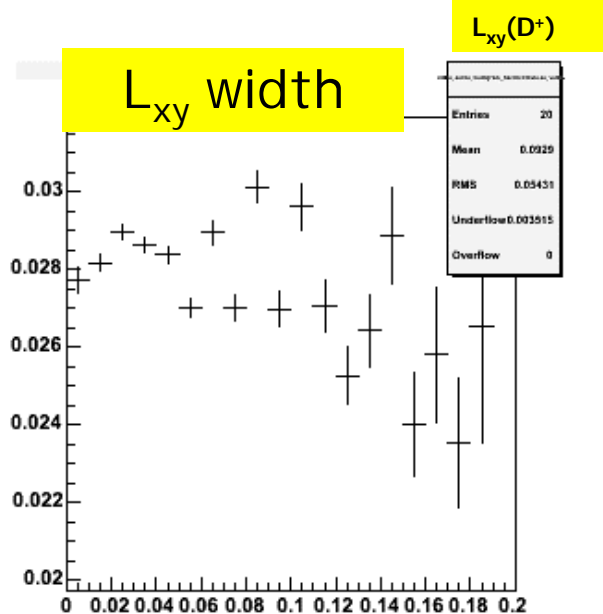
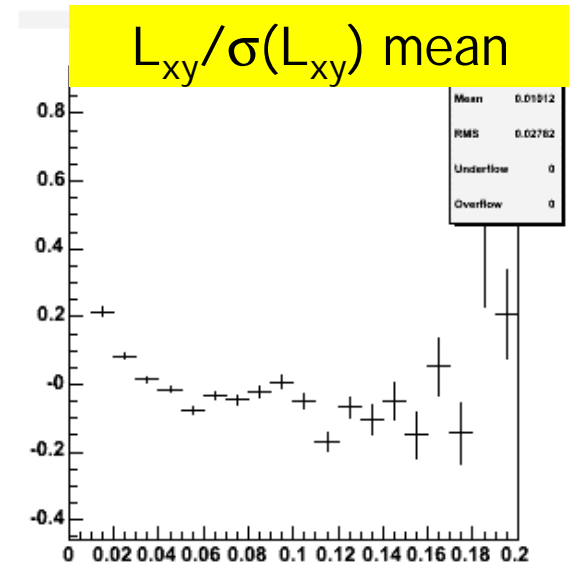
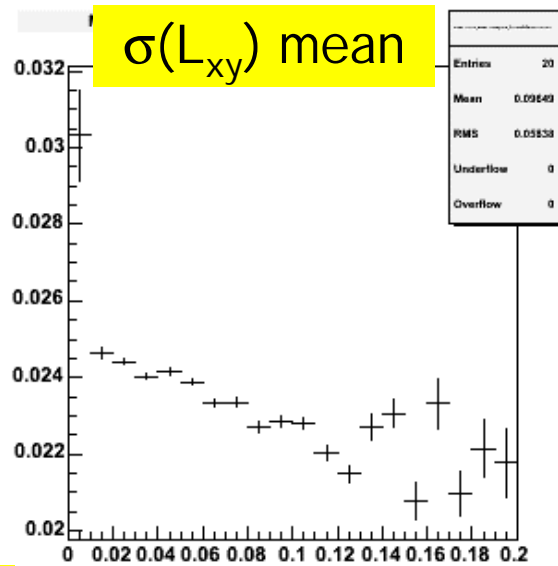
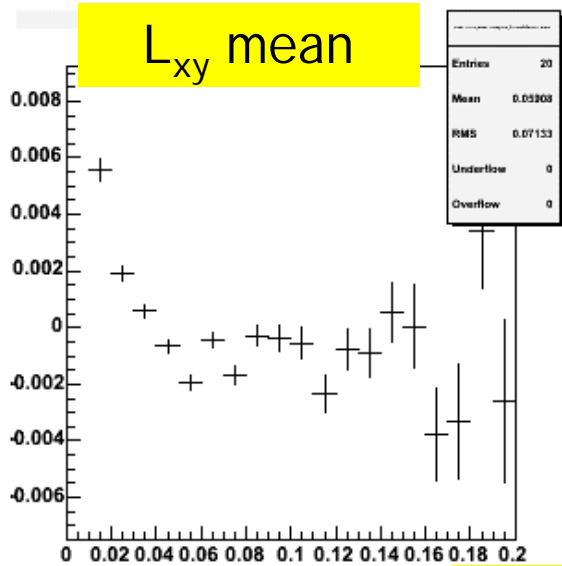


xslice_histogram_SecVtxLxyslices_stack



- They are compatible!
- The 'bug' affects non-prompt data only!!!

Is it in $\sigma(L_{xy})$ or in L_{xy} ?

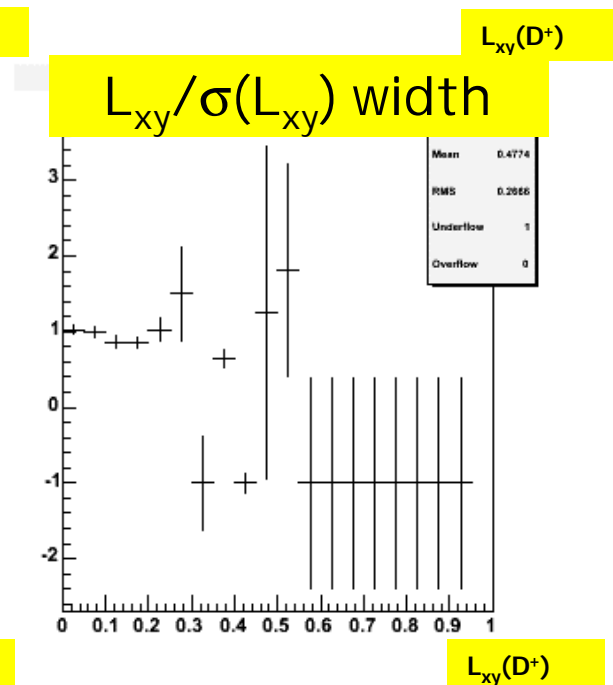
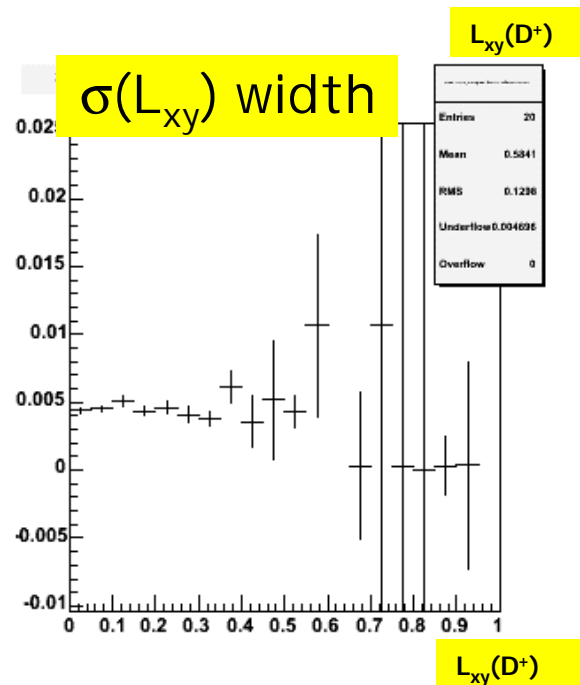
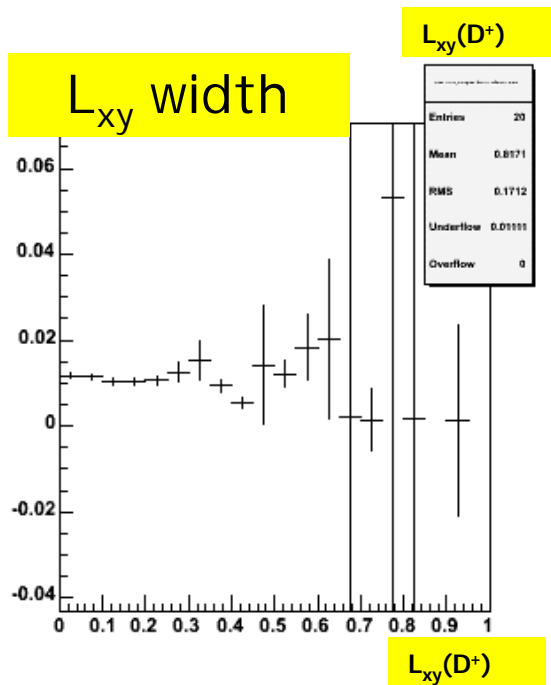
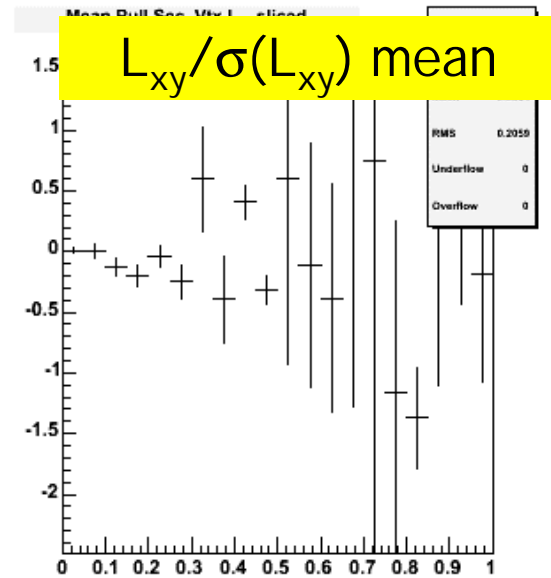
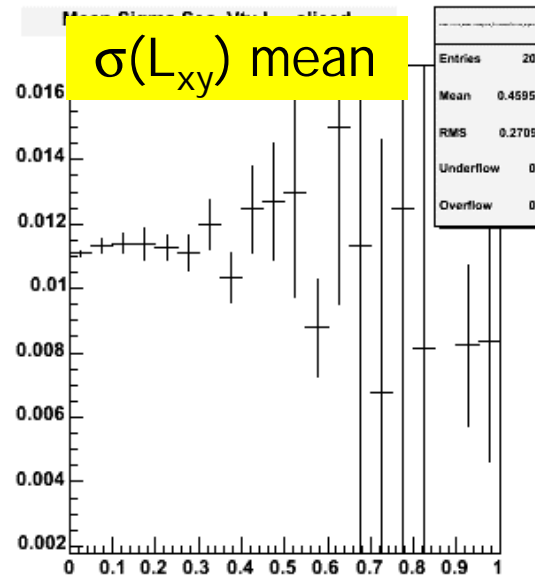
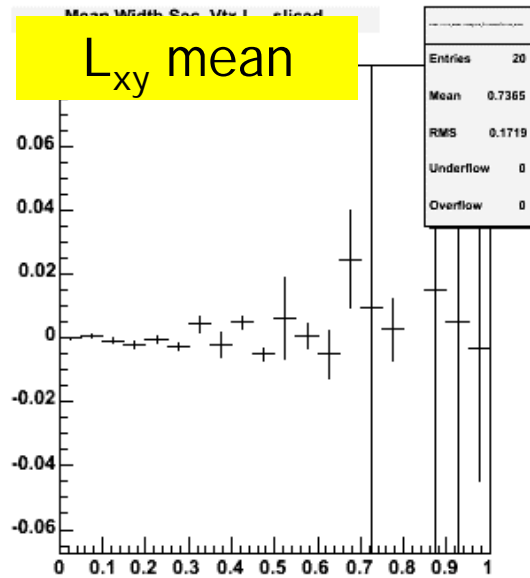


$L_{xy}(D^+)$

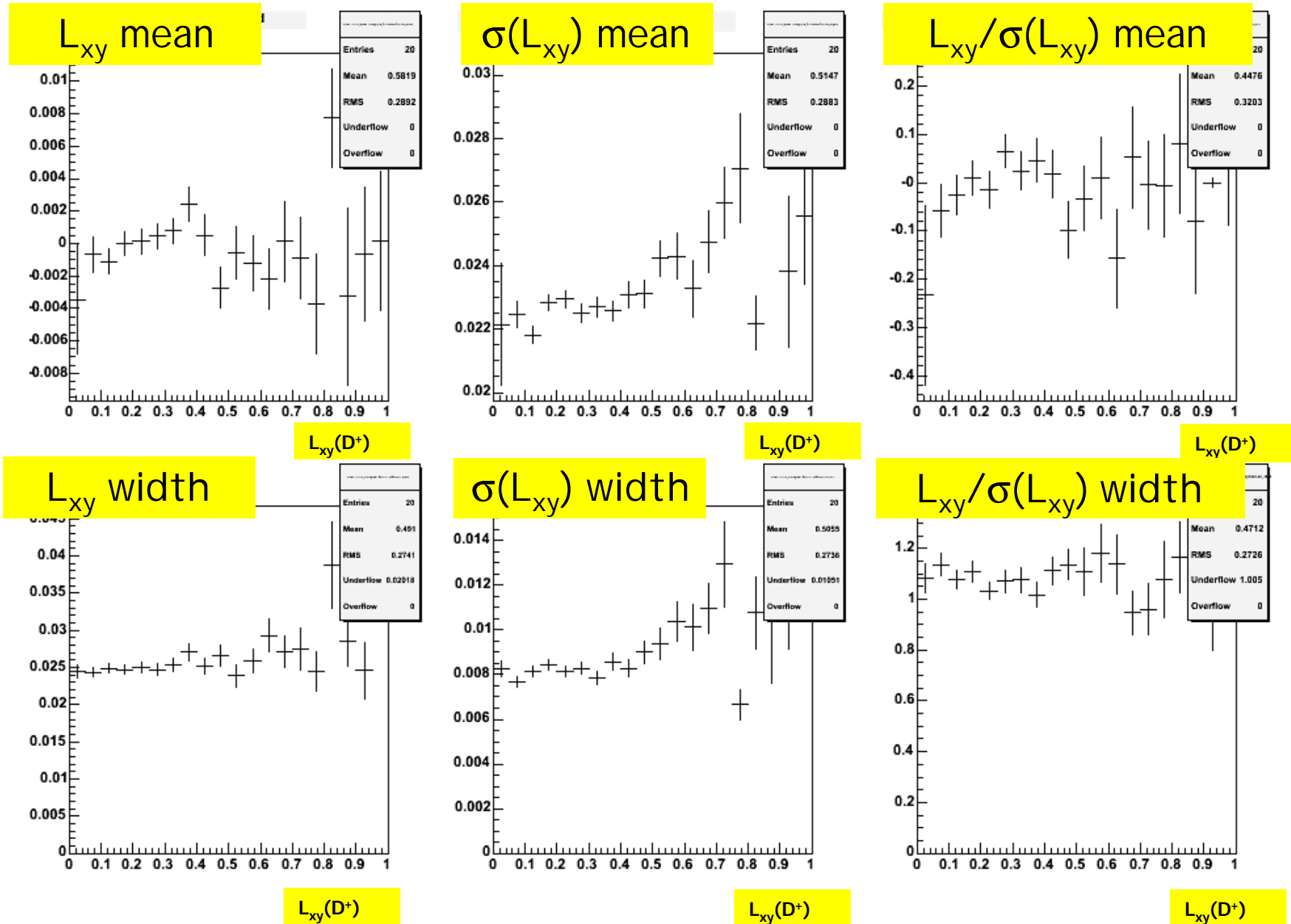
$L_{xy}(D^+)$

$L_{xy}(D^+)$

Same plots for ψ'



Same plots for MC D^+



Secondary Vertex Conclusions, so far

- We have **enough statistics** to study the SV scale factor
- Dependency on ct unexpected
 - Problem shows up 'only' in long lived signal in data
 - it's a pity that's what we want to use for our analyses ;)
 - Semileptonic lifetime?
- Working on finding the cause
 - **Montecarlo: It works!**
 - **Investigate other variables in data (Impact parameter?)**
 - **Probe other samples (D^0 ?)**
- Possible candidates:
 - Alignment
 - Scale factors?
- This is the last pending big issue at the moment

Moving along the plans for improvements!

1. Understand beamline parameterization:
 - I. Is it modeled correctly
 - II. Is it measured correctly

⇒ Include our best knowledge of it!
2. **Are secondary vertex pulls ok?**
 - I. Check with montecarlo truth
 - II. Use n-prong vertices ($J/\psi K$, $K\pi\pi^{+0}$, $K\pi\pi\pi^{+0}$)
3. Investigate dependencies (P_t , z , multiplicity, η) with full statistics

Plan

- PV shows a very consistent picture
- **Finish up PV studies** (~days):
 - re-run some ntuples to get full statistics in all cases
 - Including $K\pi\pi\pi$, $D\pi\pi\pi$
 - Use also $B \rightarrow \psi K$ background to get a source of studies for prompt L_{xy} pulls?
- **SV riddle to be solved!**
- I am working full steam on this.
- Two more weeks **according to schedule**, to straighten everything out, document and insert in the blessing pipeline.

Backup

Outline

- Current status
 - What was used for the mixing results
 - What is the current understanding of Ebe
- Plans for improvements
 - How can we improve?

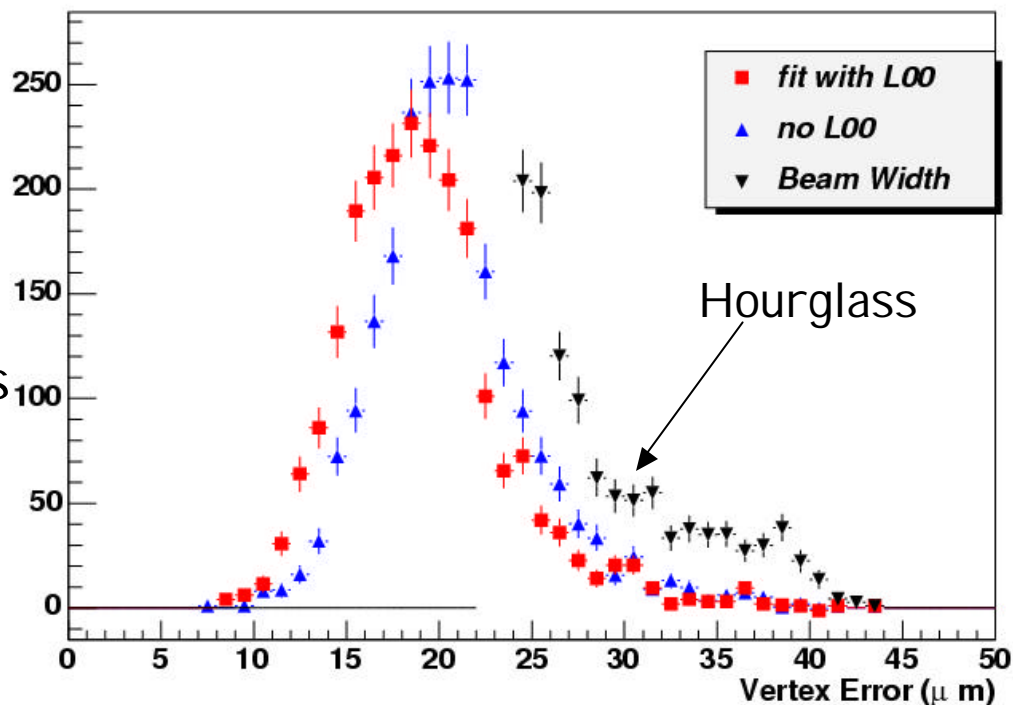
Current status

EbE: iterative track selection/pruning algorithm to provide an unbiased estimate of the PV position on an Event-by-Event basis

- Hadronic analyses used a flat $\sim 25\mu\text{m}$ beamline!
- Possible improvements:

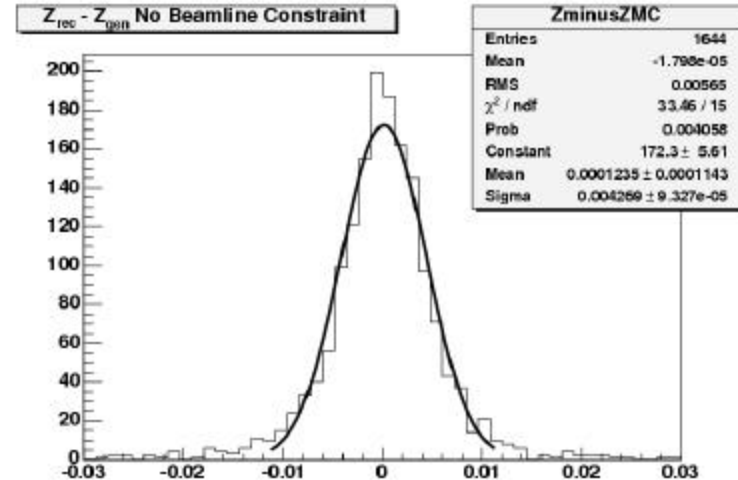
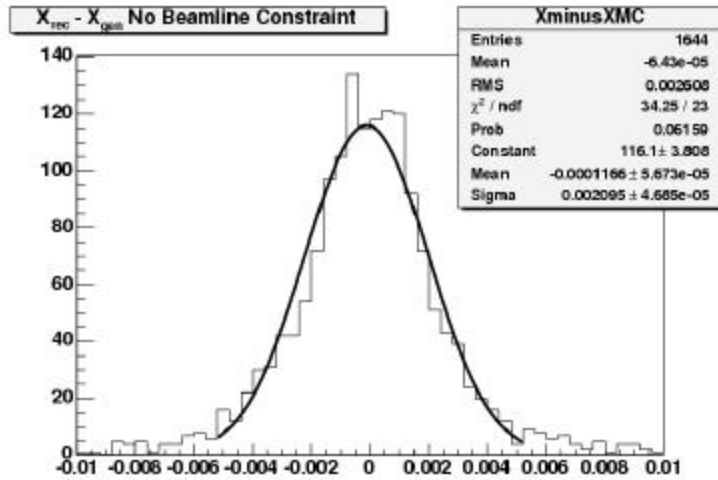
- Move to "hourglass"
- Move to EbE
- EbE + Hourglass
 - One of the $\frac{1}{2}$ leptonic analyses used this with fixed hourglass parameters

Error on Transverse Primary Vertex



What do we know about EbE?

- Unbiased estimator of PVTX



Reasonable (~5%) control of systematics

Mode	x scale	y scale	z scale
$B^\pm \rightarrow \psi K^\pm$	1.327 ± 0.035	1.399 ± 0.035	1.375 ± 0.029
$B^\pm \rightarrow D^0 \pi^\pm$	1.408 ± 0.030	1.398 ± 0.031	1.367 ± 0.29
$B^0 \rightarrow D^\pm \pi^\mp$	1.426 ± 0.034	1.336 ± 0.029	1.288 ± 0.027

	Transverse	Z
Data ($V_1 - V_2$)	1.33 ± 0.035	1.37 ± 0.035
MC ($V_1 - V_2$)	1.192 ± 0.034	1.26 ± 0.035
MC (V-truth)	1.24 ± 0.036	1.23 ± 0.032
J/y Prompt Peak	1.236 ± 0.024	~ND~
J/y d_0/s	1.176 ± 0.019	~ND~

Cross checks using I.P.(B)

Pull on Impact Parameter

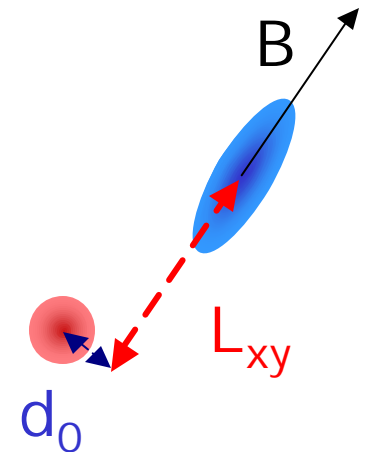
Mode	Beamline $\sigma = 25\mu$	Beamline z dependent σ	Event-by-Event w/beam constraint	Event-by-Event w/o beam constraint
$B^\pm \rightarrow D^0 \pi^\pm$	1.297 ± 0.025	1.178 ± 0.039	1.202 ± 0.021	1.050 ± 0.025
$B^0 \rightarrow D^\pm \pi^\mp$	1.256 ± 0.026	1.118 ± 0.027	1.163 ± 0.020	1.046 ± 0.027

Z dep. Beamline improves pulls!

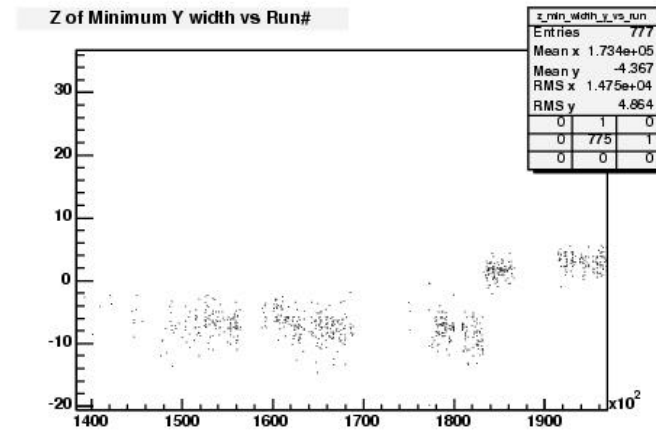
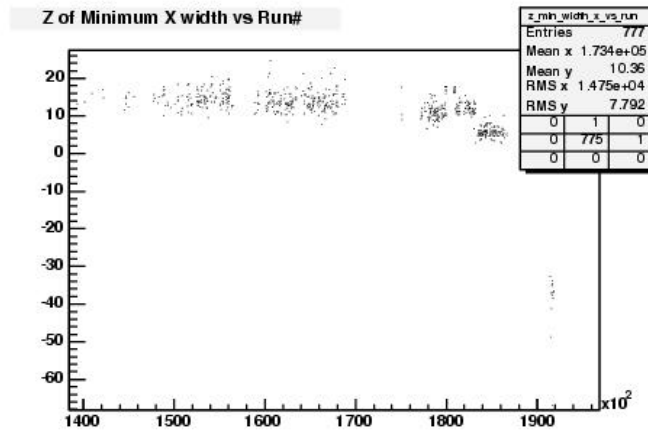
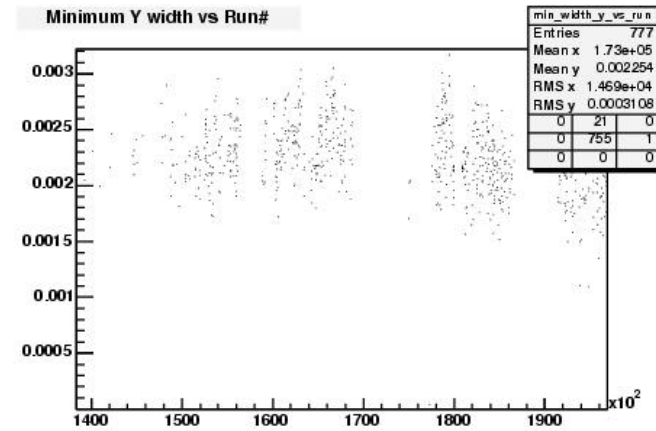
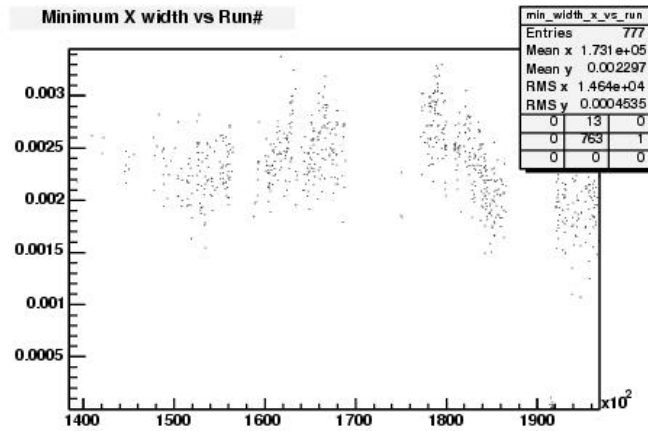
Something funny when beamline is used!

Scale factors work!

- L_{xy} involves three ingredients:
 - EbE
 - Secondary vertex
 - Beamline (in beamline constrained fits)



Time dependence of Hourglass parameters



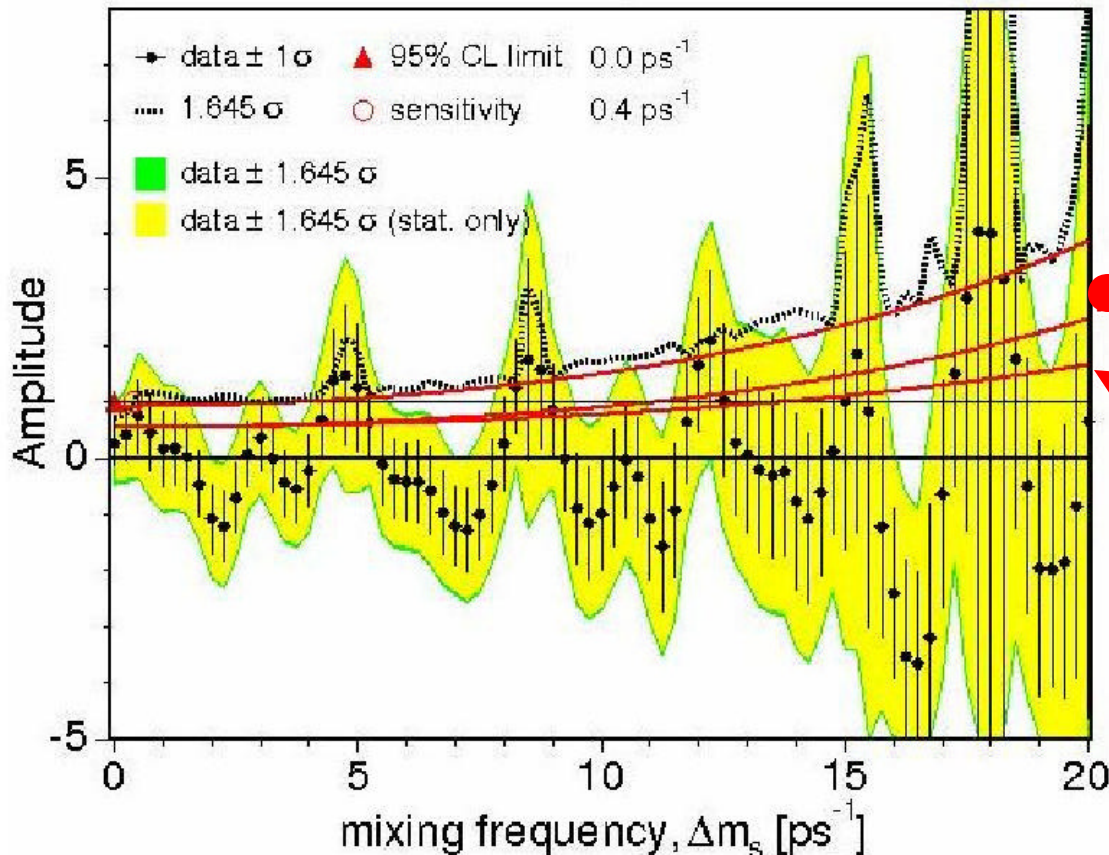
Implementing DB access of time-dependent parameters

What do we gain?

Euphemism

1. 15-20% In vertex resolution!
2. Better control of systematics (hard to evaluate)
3. Correct EbE resolution (it is not clear that it is correct now)

Hadronic Analysis CDF II



•Red arrow is the effect of 1. **Only**

•Point 2. Affects mostly the green area (tiny ?)

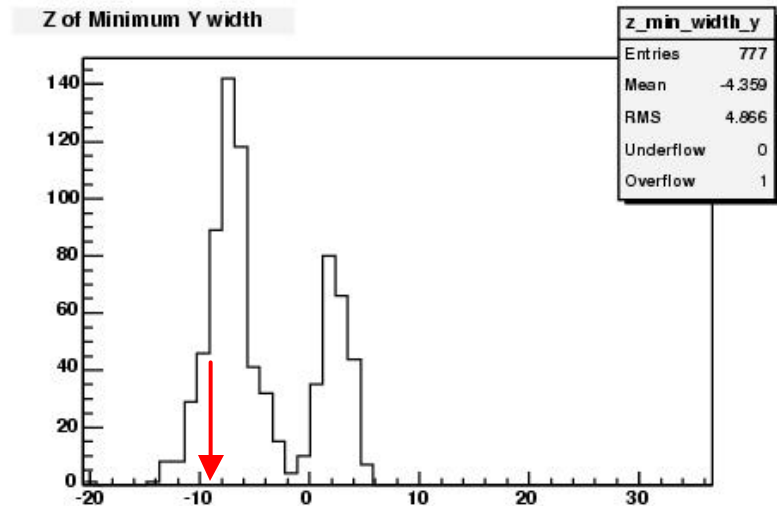
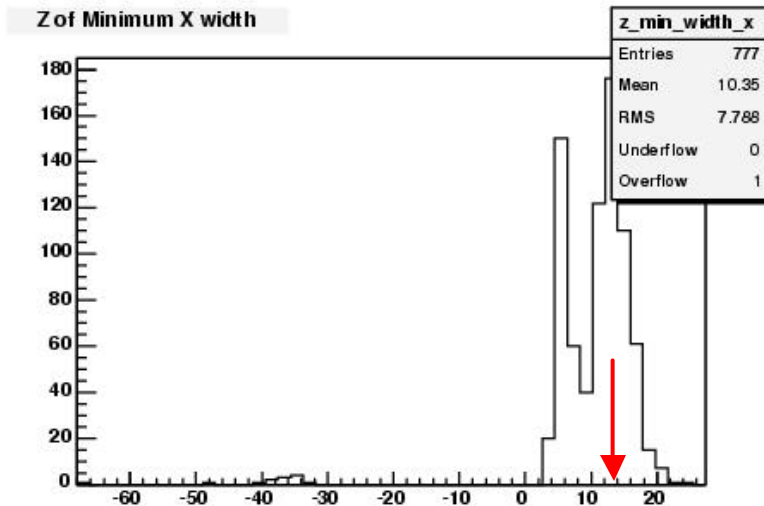
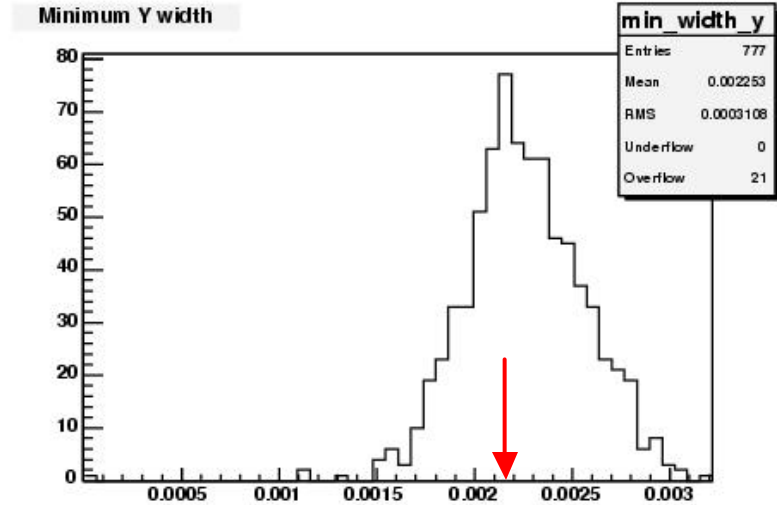
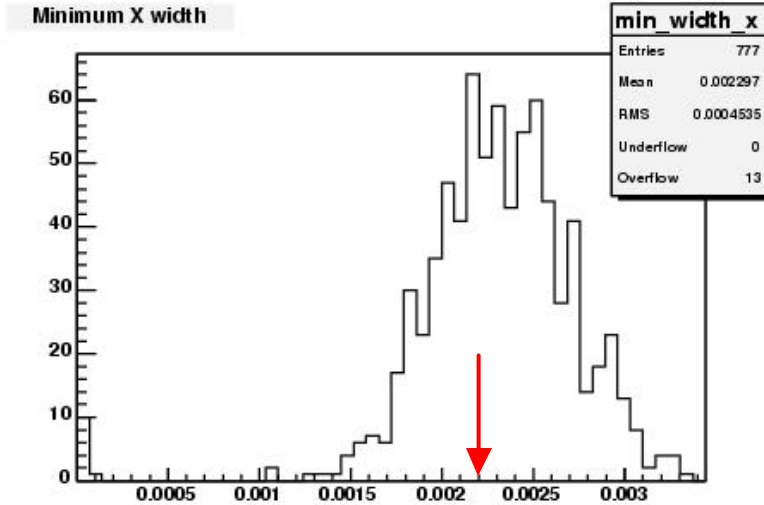
•Point 3. Has an effect qualitatively similar to 1., but hard to evaluate

Hadronic analysis systematics

source	selected Δm_s scan points				
	0.0	5.0	10.0	15.0	20.0
$B_s \rightarrow D_s K$ level	0.019	0.024	0.030	0.037	0.047
dilution scale factors	0.143	0.168	0.205	0.254	0.314
dilution templates	0.119	0.147	0.178	0.211	0.246
fraction of Λ_b	0.014	0.009	0.009	0.011	0.012
Punzi term for σ_{ct}	0.009	0.008	0.022	0.033	0.030
dilution of $B \rightarrow DX$	0.025	0.001	0.000	0.000	0.001
σ_{ct} scale factor	0.000	0.024	0.061	0.090	0.144
usage of L00 in bias curve	0.001	0.001	0.001	0.001	0.001
B_s lifetime uncertainty	0.001	0.001	0.001	0.001	0.001
reweighted p_t spectrum	0.001	0.001	0.001	0.001	0.001
non-Gaussian tails in ct resol.	0.001	0.027	0.052	0.078	0.104
neglect B^0 in fit	0.039	0.036	0.033	0.031	0.028
effect of $\Delta\Gamma/\Gamma = 0.2$	0.028	0.028	0.028	0.028	0.028
Total systematic	0.195	0.232	0.289	0.357	0.443
Statistical	0.393	1.129	1.010	2.652	5.281

Hourglass parameters from DB

Profiles



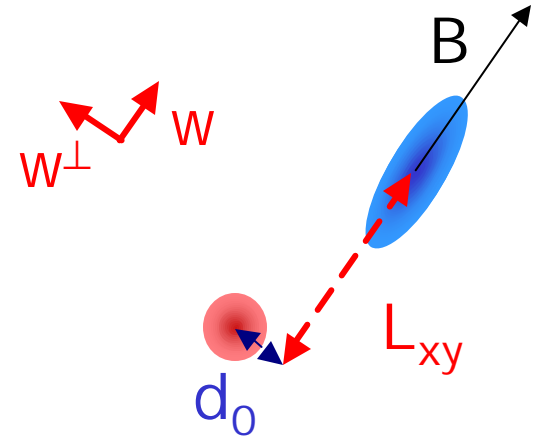
Relative PV/BV contribution to d_0 and L_{xy} pulls

$$\mathbf{S}_{L_{xy}}^2 = {}^t \mathbf{W} \mathbf{S}_{PV}^2 \mathbf{W} + {}^t \mathbf{W} \mathbf{S}_{SV}^2 \mathbf{W}$$

$$\mathbf{S}_{d_0}^2 = {}^t \mathbf{W}^\perp \mathbf{S}_{PV}^2 \mathbf{W}^\perp + {}^t \mathbf{W}^\perp \mathbf{S}_{SV}^2 \mathbf{W}^\perp$$

$$\mathbf{w} = (x, y)$$

$$\mathbf{w}^\perp = (y, -x)$$



- PV and BV are linear combinations of the same covariances (σ_{PV} , σ_{SV}), with **different** coefficients
- L_{xy} sensitive to the major axis of σ_{SV}
- Relative weight of PV and SV covariances different for L_{xy} and d_0

• Look at:

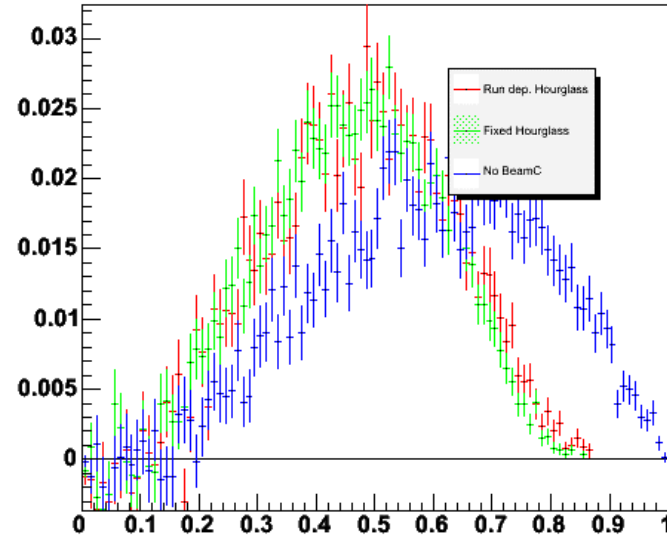
$$\sqrt{\frac{{}^t \mathbf{W} \mathbf{S}_{PV}^2 \mathbf{W}}{\mathbf{S}_{L_{xy}}^2}} \quad \sqrt{\frac{{}^t \mathbf{W}^\perp \mathbf{S}_{PV}^2 \mathbf{W}^\perp}{\mathbf{S}_{d_0}^2}}$$

$$\sqrt{\frac{{}^t \mathbf{W} \mathbf{S}_{SV}^2 \mathbf{W}}{\mathbf{S}_{L_{xy}}^2}} \quad \sqrt{\frac{{}^t \mathbf{W}^\perp \mathbf{S}_{SV}^2 \mathbf{W}^\perp}{\mathbf{S}_{d_0}^2}}$$

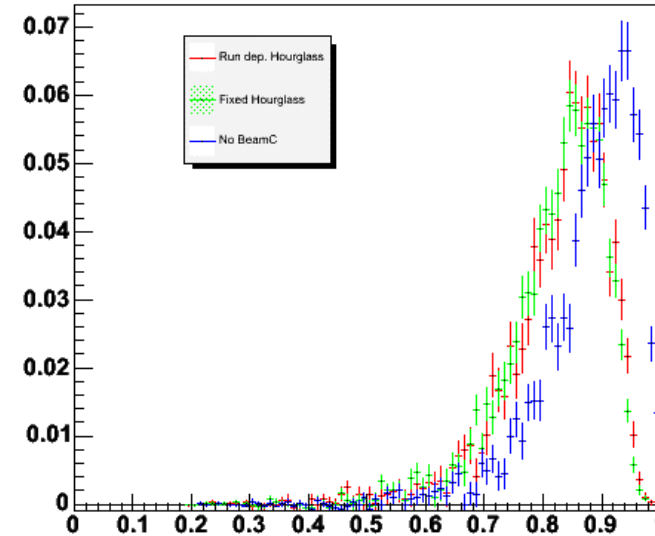
Note: the two L_{xy} (or d_0) pieces do not linearly add to 1!

Relative PV/BV contribution to IP and Lxy pulls

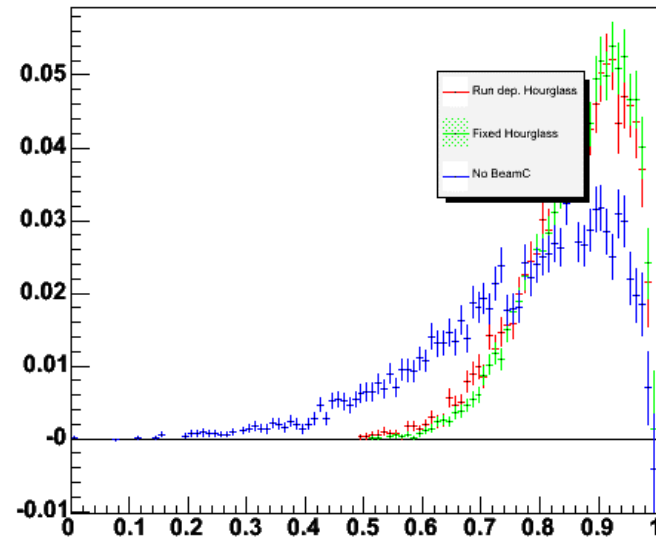
PV contribution to the L_{xy} error



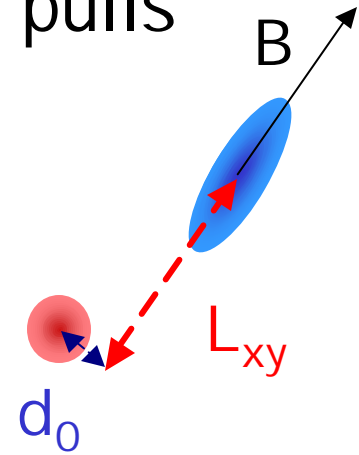
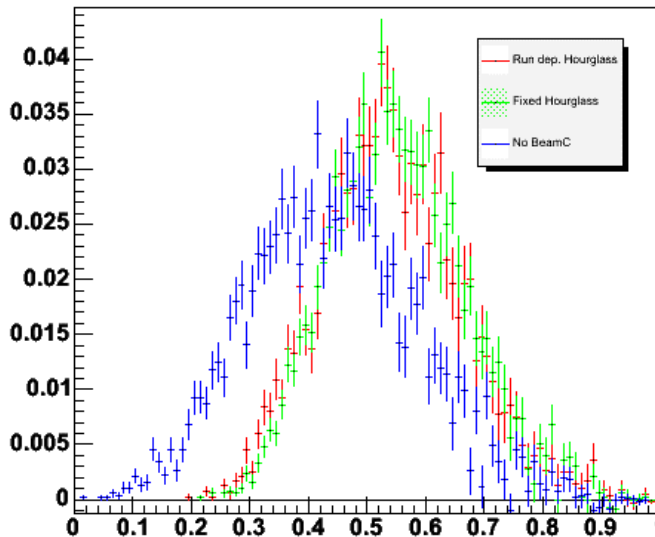
PV contribution to the d_0 error



SV contribution to the L_{xy} error



SV contribution to the d_0 error



- Not Beam Constrained
- Beam constrained
- Beam constrained with run-dep. hourglass

Bottomline:

- SV and PV enter very differently in L_{xy} and d_0
- Relative contribution depends strongly on PV and SV scales
- Beam constraint squeezes the PV resolution significantly. Becomes second order on L_{xy} !
- We are in a regime where the SV scale factor is critical!

... now let's get more quantitative!